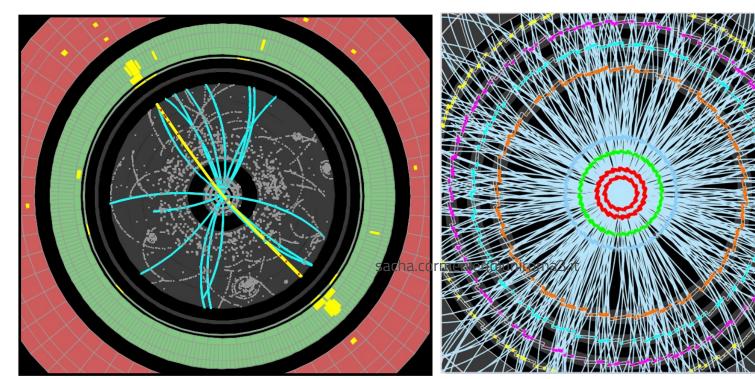
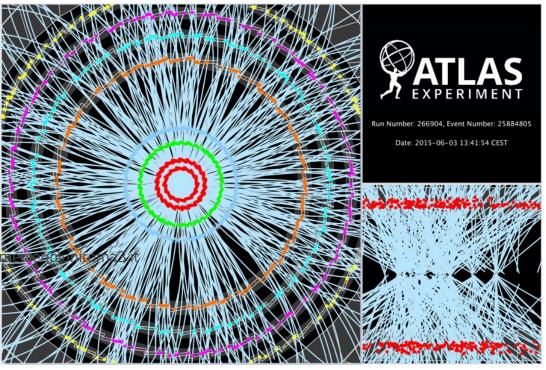


Lecture 1: Experiments & Accelerators





Z → ee Candidate [September 2010]

Toni Baroncelli INFN RomaTRE Display of a proton-proton collision event recorded by ATLAS on 3 June 2015, with the first LHC stable beams at a collision energy of 13 TeV. Tracks reconstructed by the tracking detector are shown as light blue lines, and hits in the layers of the silicon tracking detector are shown as colored filled circles. The four inner layers are part of the silicon pixel detector and the four outer layers are part of the silicon strip detector. The layer closest to the beam, called IBL, is new for Run 2. In the view in the bottom right it is seen that this event has multiple pp collisions. The total number of reconstructed collision vertices is 17 but they are not all resolvable on the scale of this picture.

Originally inspired by Hans-Christian Schultz-Coulon Kirchhoff-Institut für Physik

but also Material from many different sources



Introduction & Motivation

The LHC and its Experiments





LHC: motivations

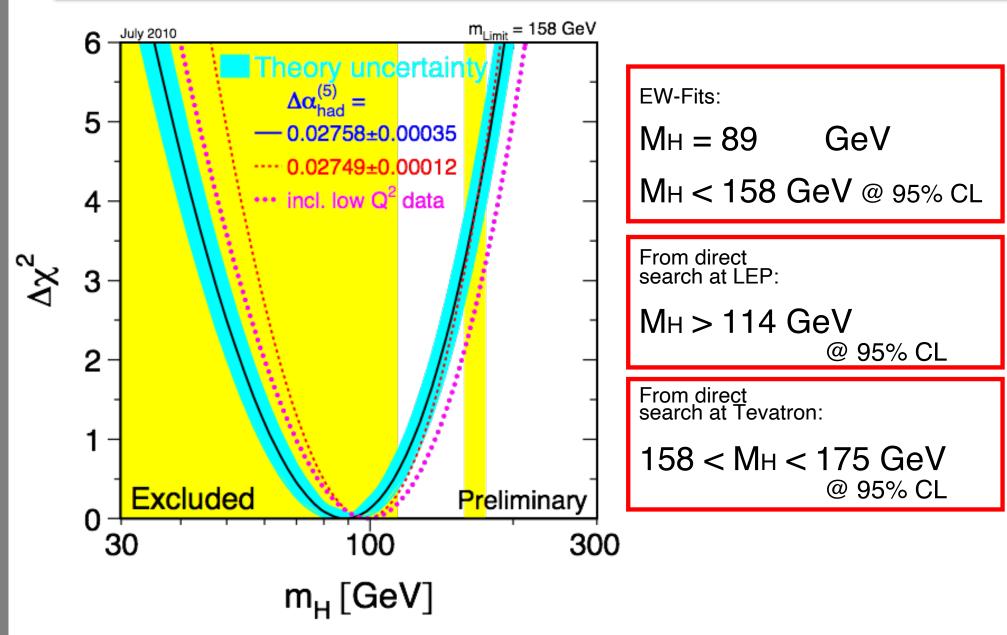
- Higgs mechanism via EW symmetry breaking? Check couplings!
- Supersymmetry, extension of the SM, realised in nature, implying that all known particles have supersymmetric partners?
- Extra dimensions, as predicted by various models based on string theory, and can we detect them?
- dark matter that appears to account for 27% of the mass-energy of the universe?
- What about dark energy?

Other open questions that may be explored using high-energy particle collisions:

- Why is the **gravity** force so many orders of magnitude weaker than the other three fundamental forces?
- Why are there apparent violations of the symmetry between matter and antimatter?
- What are the nature and properties of **quark-gluon plasma**, thought to have existed in the early universe?

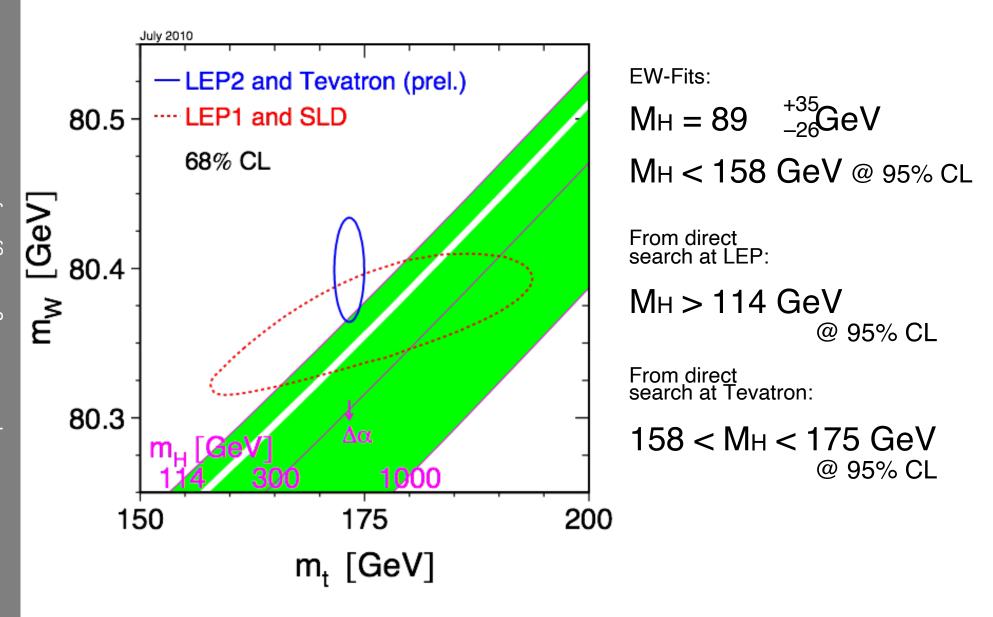


Our Knowledge about the Higgs before its discovery



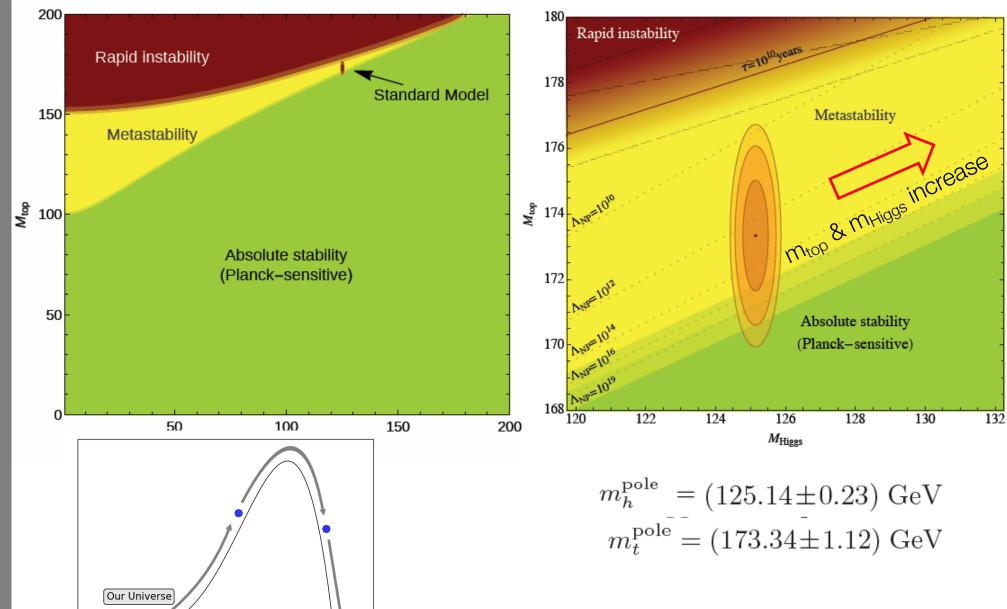


Our Knowledge about the Higgs before its discovery





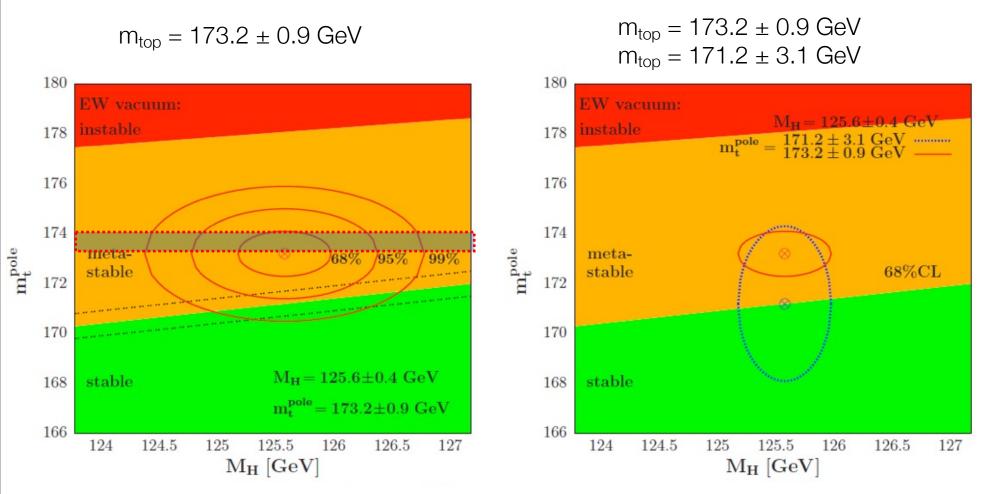
After the Higgs discovery: m_{top} vs m_{Higgs} and stability of the Universe



Universe collapses



After the Higgs discovery: m_{top} vs m_{Higgs} and stability of the Universe



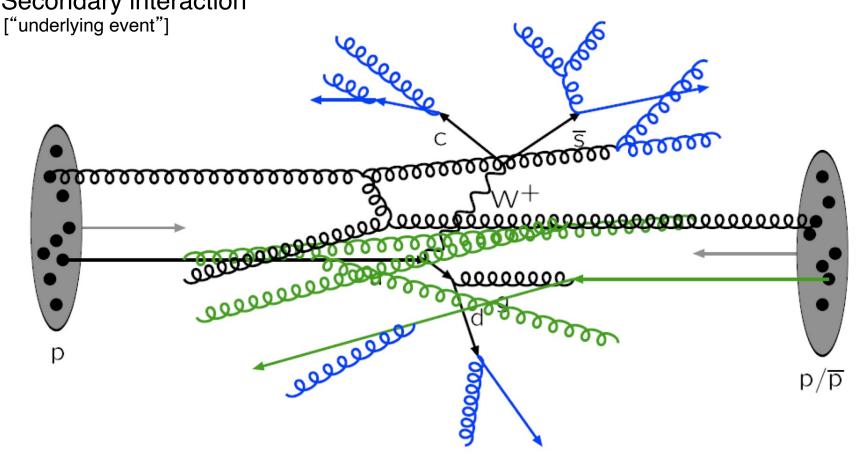
The ellipses in the $[M_H, m_{tpole}]$ plane with the inputs $M_H=125$ +/-0.4 GeV and $\alpha_s=0.1187$ are confronted with the areas in which the SM vacuum is absolutely stable, metastable and unstable up to the Planck scale. Left plot m_{tpole} is identified with the Tevatron measured top mass $m_t=173.2+$ /-0.9 GeV, Right: m_{tpole} is taken as the as the one measured at the Tevatron $m_t=171.2+$ /-3.1GeV extracted for the tbar production cross section



Proton-Proton Scattering @ LHC

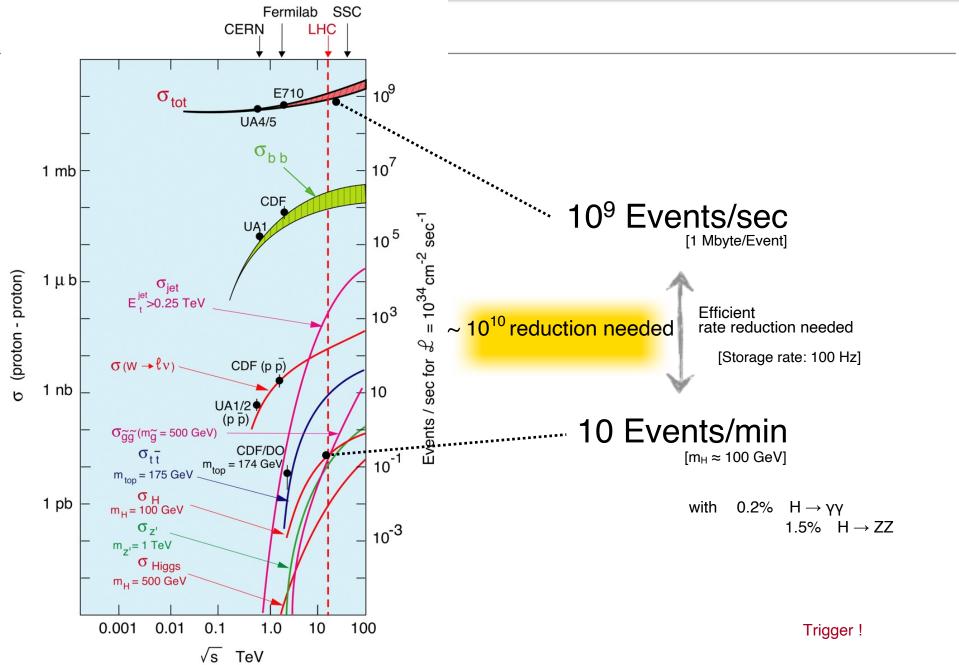
- Hard interaction: qq, gg, qg fusion
- Initial and final state radiation (ISR,FSR)
- Secondary interaction

Very complex topologies! (very different from e+e-collisions)





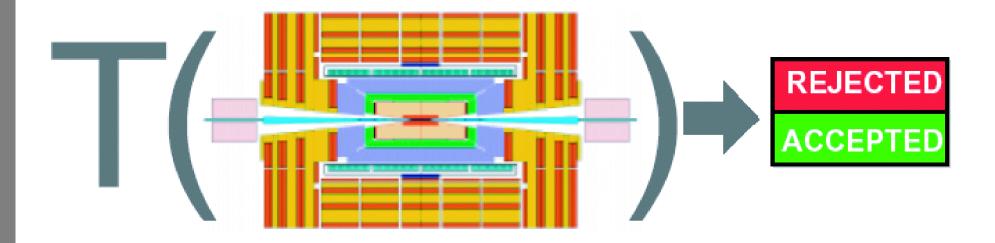
Needle in a Haystack





Challenge 1: Fast Trigger System

Fast selection of interesting Events
Number of necessary decisions: 40 million/sec



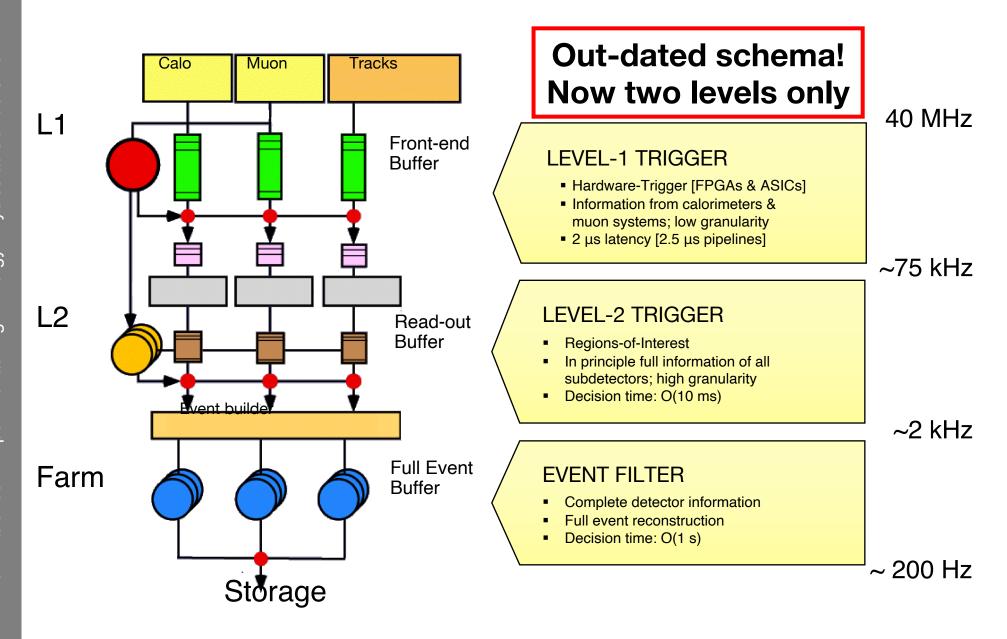
Function T(...) is highly complex Detector data not directly available

Stepwise decision

→ Trigger Levels



Challenge 1: Fast Trigger System





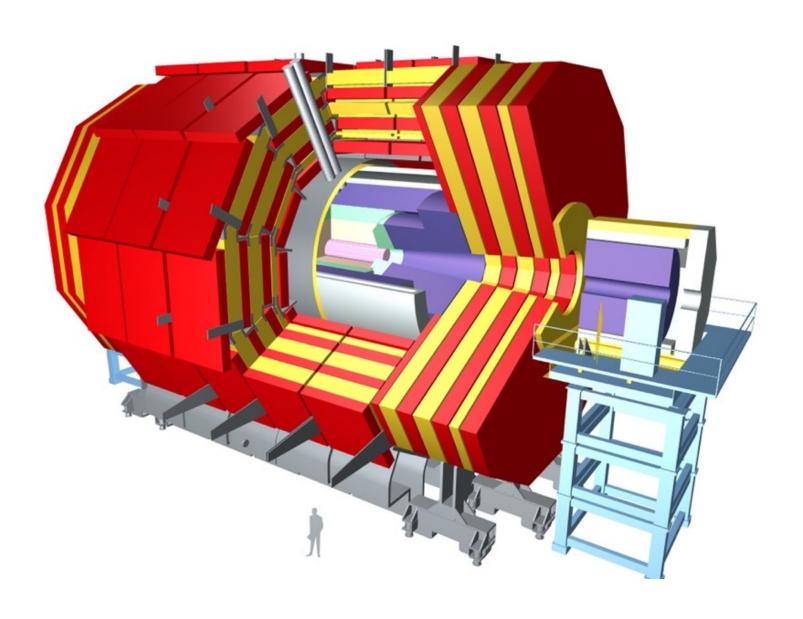
Experiments

The LHC and its Experiments



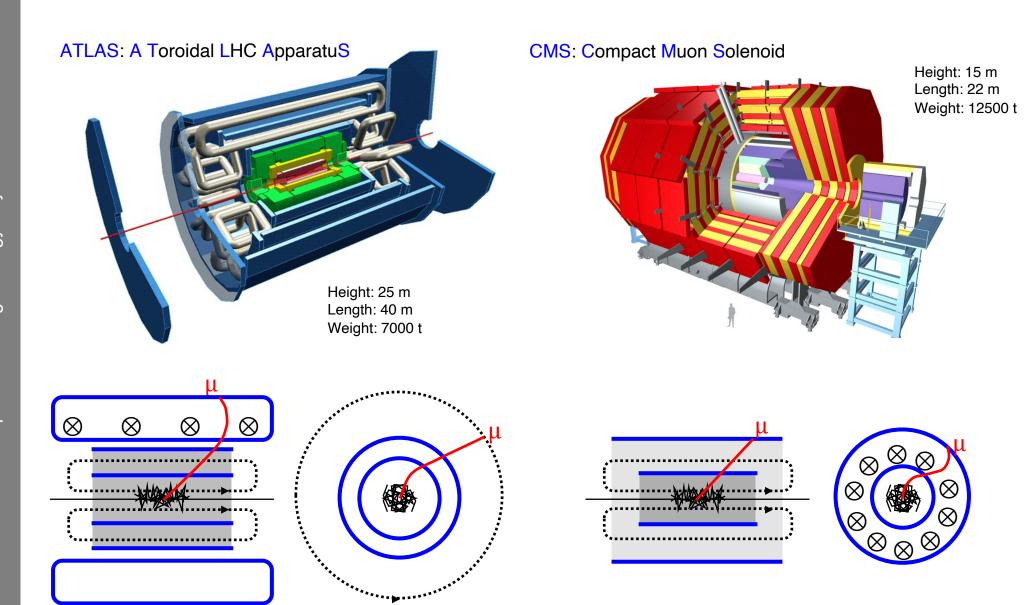


LHC Detectors, mostly ATLAS & CMS





Basic Design Concepts





The ATLAS (and ~ CMS) Detector

The basic design criteria of the detector included the following points:

- Excellent electromagnetic calorimetry for electron and photon identification and measurements, complemented by fullcoverage hadronic calorimetry for accurate jet and ETmiss measurements;
- 2. High-precision muon momentum measure measurements, with the capability of accurate measurements at the highest collision rates using the external muon spectrometer alone:
- 3. Efficient charged particle-tracking at high luminosity fell nigh transverse momentum (p_T) lepton-momentum measurements, electron and proton identification, τ-lepton and heavy-flavour identification, and full event reconstruction capability at lower luminosity;
- 4. Large acceptance in pseudorapidity (η) with almost full azimuthal angle (φ) coverage everywhere. The azimuthal angle is measured around the beam axis z, whereas pseudorapidity relates to the polar angle (θ) where θ is the angle from the z direction, $η=-\ln(\tan \theta^2)$.
- 5. Triggering and measurements of particles at low-p_T thresholds, providing high efficiencies for most physics processes of interest at the LHC.

The main active detector components of the ATLAS detector, from the beam line towards the outside. The total readout channels for each component is given, as well as its pseudorapidity coverage.

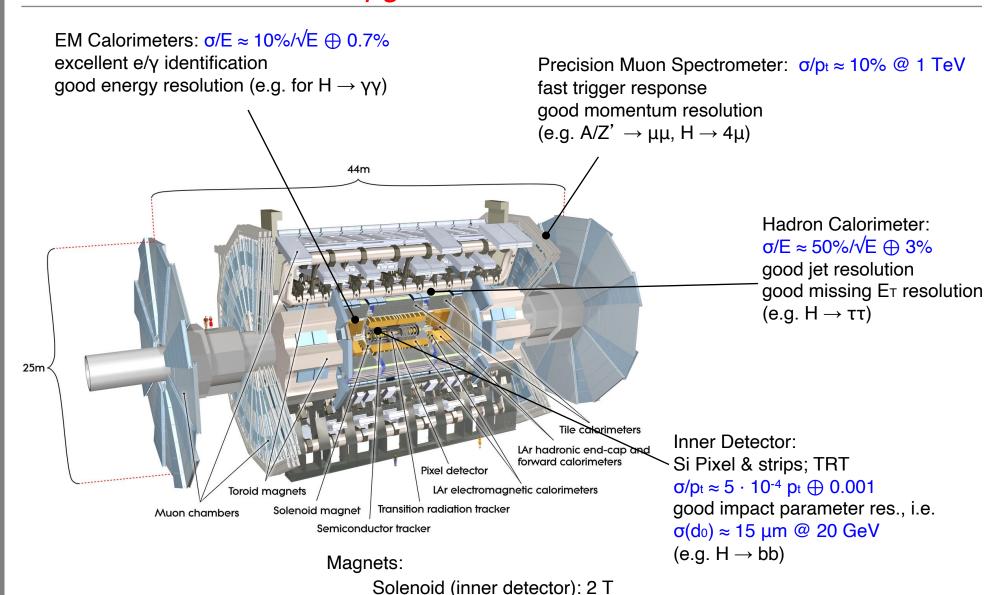
Detector component	Position	Channels (total)	η - coverage [Collapse]		
Tracking					
Pixel B-layer (IBL, added for Run 2)	1 cylindrical barrel layer	6 771	±2.5		
	Average radius 33 mm	6 million			
	3 cylindrical barrel layers				
Pixel	3 end-cap disks on each side	80.4 million	± 2.5		
	Radial envelope 45.5 - 242 mm				
	4 cylindrical barrel layers	-+OY	±2.5		
SCT strips	9 end-cap disks on each side	6.3 million			
	Radial envelope 251 - 610 mm				
TRT	73 barrel straw planes		±2.0		
	80 end-cap straw planes	351,000			
	Radial envelope 554 - 1106 mm				
Calorimetry					
EM processalor	Barrel	7,808	±1.52		
EM presampler	End-caps	1,536	$1.5 < \eta < 1.8$		
EM calorimeter	3 depth samples barrel	101,760	±1.48		
	3 depth layers end-caps	62,208	$1.375 < \eta < 3.2$		
II a durania tila palanimatan	3 depth samples barrel	5,760	±1.0		
Hadronic tile calorimeter	3 depth samples extended barrel	4,092	$0.8 < \eta < 1.7$		
LAr hadronic end-caps	4 depth layers	5,632	$1.5 < \eta < 3.2$		
LAr forward hadronic calorimeter	3 depth layers	3,524	$3.1 < \eta < 4.9$		
Muon spectrometer					
MDT precision tracking	3 multi-layer stations	354,000	±2.7		
CSC precision tracking	1 innermost station end-caps	31,000	$2.0 < \eta < 2.7$		
RPC trigger chambers	2 multi-layer stations barrel	373,000	±1.05		
TGC trigger chambers	2 multi-layer stations end-cap	318,000	$1.05 < \eta < 2.4$		



The ATLAS Detector

(http://www.scholarpedia.org/article/The_ATLAS_experiment)

Upgrades! → *Detector evolves with time*



Toroid (muon spectrometer): 0.5 T



LHC Schedule as of Jan 2019

LHC roadmap: according to MTP 2016-2020 V1

LS2 starting in 2019

2711

=> 24 months + 3 months BC

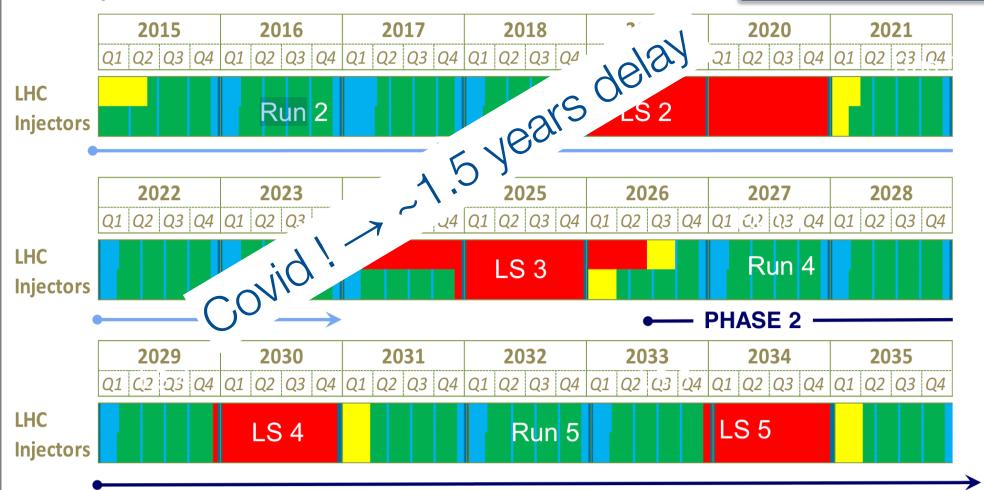
LS3 LHC: starting in 2024

=> 30 months + 3 months BC

Injectors: in 2025

=> 13 months + 3 months BC

Physics
Shutdown
Beam commissioning
Technical stop





The ATLAS Detector

Reminder: the E_{CM} of scattering objects (two partons carrying an unknown fraction x_1 and x_2 of proton momentum) is not known. \rightarrow the CM moves in the longitudinal plane. However the CM has $\sim p_T = 0$

Indicative resolutions of the ATLAS detector components. The units for energy E and transverse momentum p_T are in GeV. The symbol \oplus means adding both parts in quadrature.

Detector component	Resolution	
Tracking	$\sigma_{p_T}/p_T = 0.05\% p_T \oplus 1\%$	
EM calorimetry	$\sigma_E/E = 10\%/\sqrt{E} \oplus 0.7\%$	
Hadronic calorimetry (jets)		
barrel and end-caps	$\sigma_E/E = 50\%/\sqrt{E} \oplus 3\%$	
forward	$\sigma_E/E = 100\%/\sqrt{E} \oplus 10\%$	
Muon spectrometer	$\sigma_{p_T}/p_T = 10\%$ at $p_T = 1$ TeV	





$$p_T \uparrow \sigma_{PT} \uparrow$$



The CMS Detector

(https://en.wikipedia.org/wiki/Compact_Muon_Solenoid)



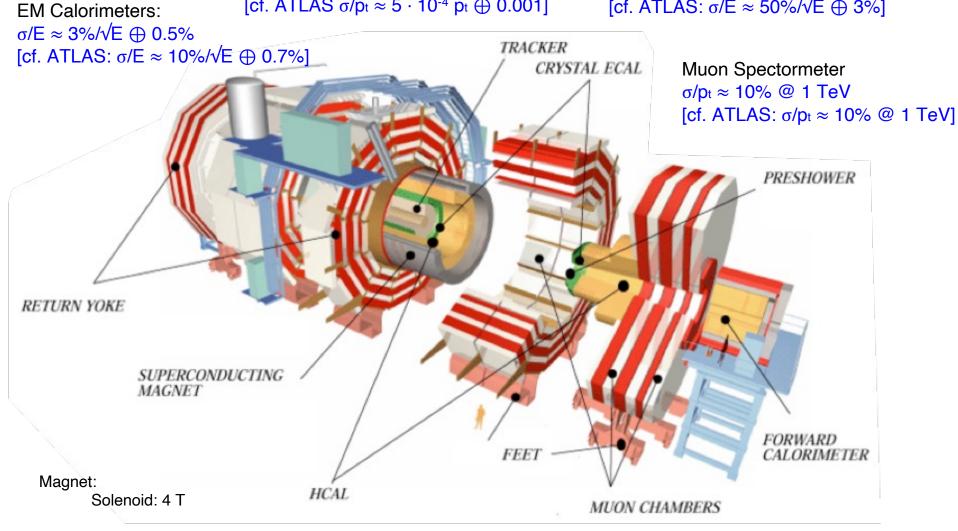
 $\sigma/p_t \approx 5 \cdot 10^{-4} p_t \oplus 0.001$

[cf. ATLAS $\sigma/p_t \approx 5 \cdot 10^{-4} p_t \oplus 0.001$]

Hadron Calorimeter:

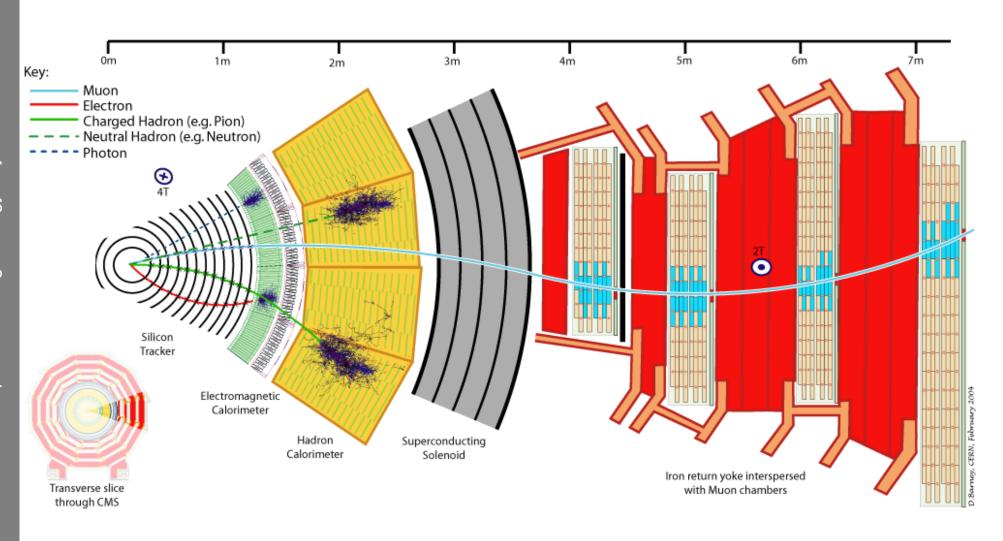
 $\sigma/E \approx 100\%/\sqrt{E} \oplus 5\%$

[cf. ATLAS: $\sigma/E \approx 50\%/\sqrt{E \oplus 3\%}$]





The CMS Detector - 2





ATLAS vs CMS

ATLAS		CMS	
Silicon pixels; Silicon strips; Transition Hadiation Tracker; 2 T magnetic field	Inner Detector	Silicon pixels, Silicon strips, 4 T magnetic field	
Lead plates as absorbers; active medium: liquid argon; outside solenoid	Electrom. Calorimeter	Lead tungsten (PbWO ₄) crystals; both absorber and scintillator; inside solenoid	
Central region: Iron absorber with plastic scintillating tiles; Endcaps: copper and tungsten absorber with liquid argon	Hadronic Calorimeter	Stainless steel and copper with plastic scintillating tiles	
Large air-core toroid magnet; muon chambers: drift tubes and resistive plate chambers;0.5 T magnetic field	Muon Chambers	Magnetic field from return yoke (solenoid field: 4 T); muon chambers: drift tubes and resistive plate chambers	



Accelerators

The LHC and its Experiments

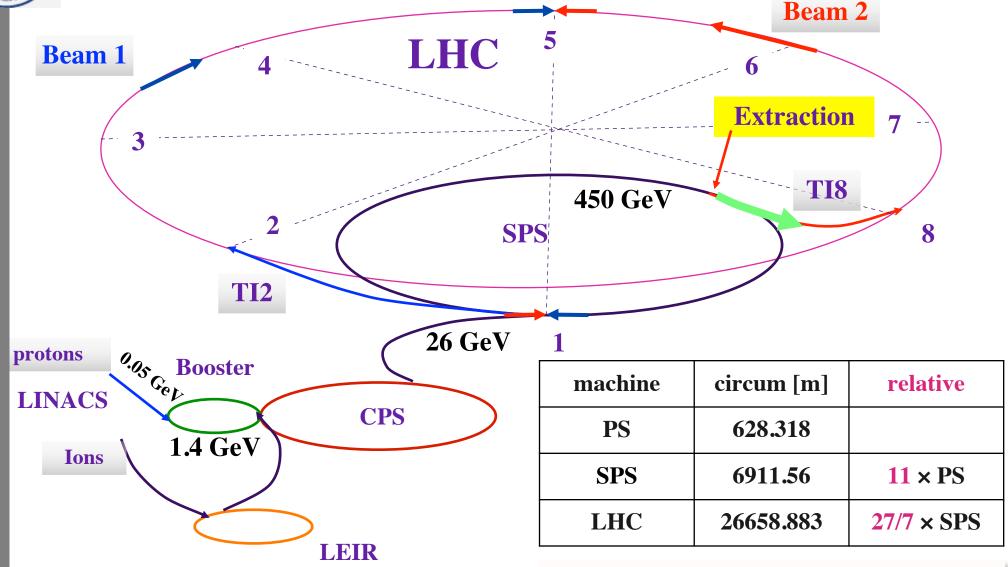




The Large Hadron Collider



The CERN accelerator complex: injectors and transfer



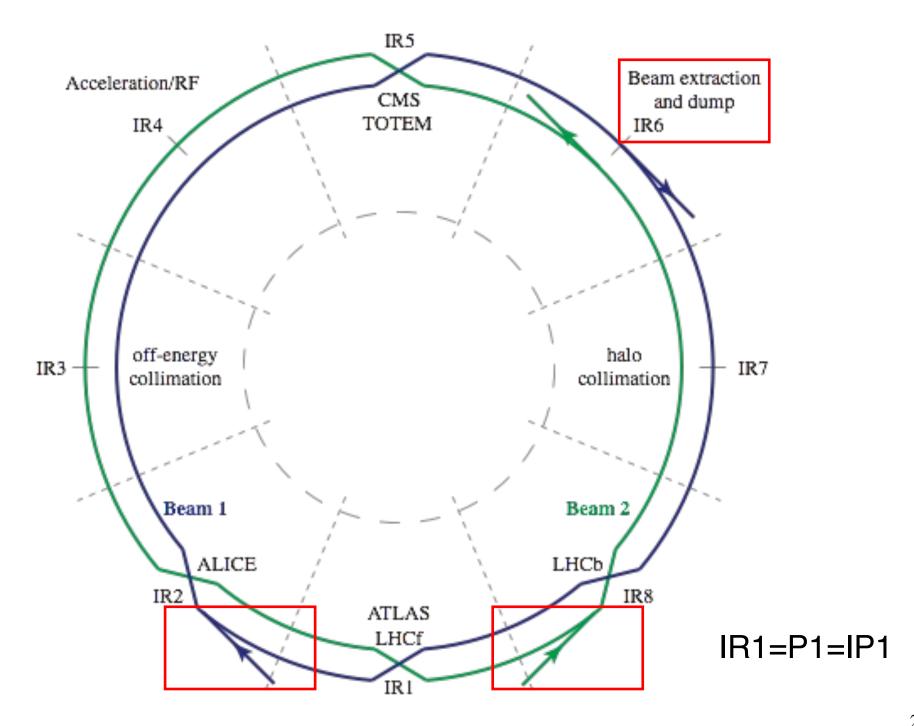
simple rational fractions for synchronization

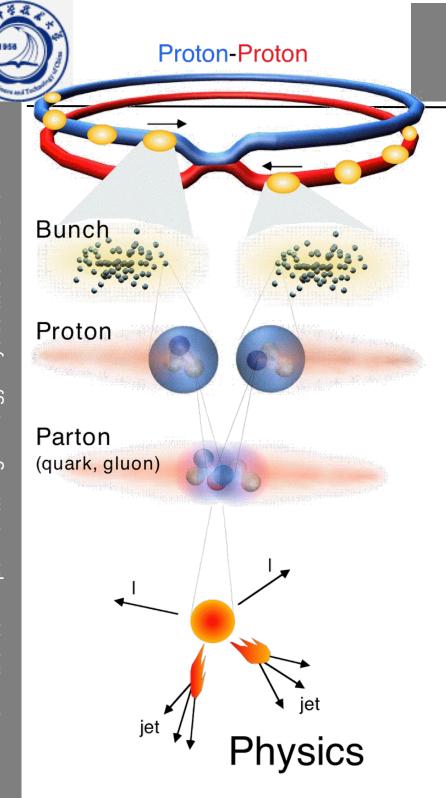
Beam size of protons decreases with energy : area $\sigma^2 \propto 1 / E$ Beam size largest at injection, using the full aperture

based on a single frequency generator at injection



Layout of the LHC: Experiments





Some numbers (relevant for ATLAS & CMS)

total number of bunches (some empty) 3564x3564

2835 x 2835 proton bunches distance: 7.5 m [25 ns]

(1.7*) 10¹¹ protons/bunch bunch crossing rate: 40 MHz

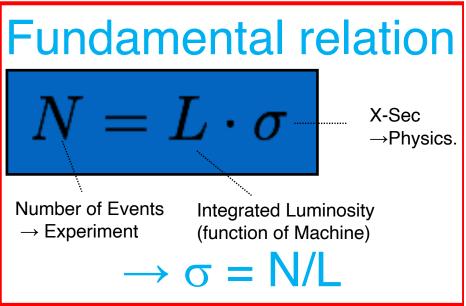
109 pp-collisions/sec

[i.e.: 23 pp-interactions/bunch crossing.]

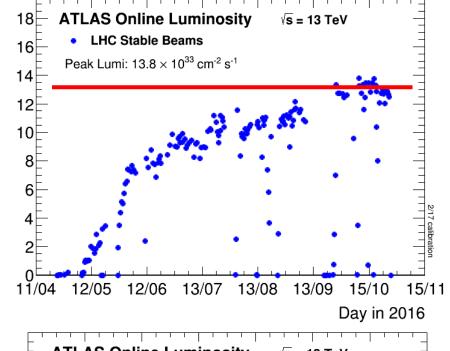
Dominant Interactions:
gluon-gluon, quark-quark and
quark-gluon scattering

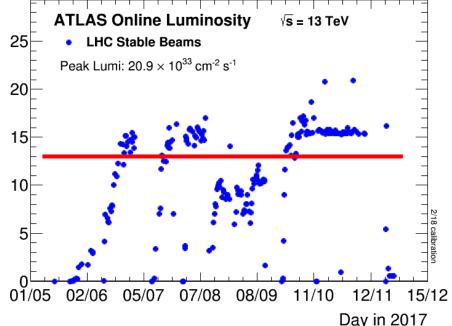


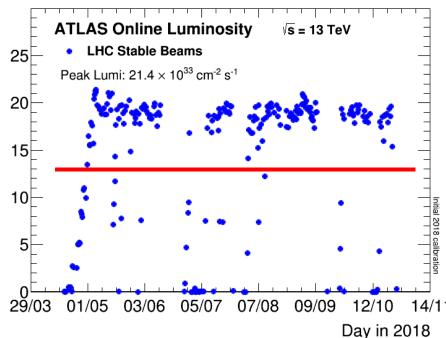
2016,2017,2018 LHC performance













LHC:

LHC status, a bit of story!

β^* indicates longitudinal size of the bunch

2009 first collisions, mostly at injection energy 2x450 GeV

2010 2x3.5 TeV,
$$\beta^* = 3.5$$
 m, $L_{peak} = 0.2 \times 10^{33}$ cm⁻²s⁻¹ $\int L dt = 0.044$ fb⁻¹

2011 2×3.5 TeV,
$$\beta$$
*= 1.0 m, L_{peak} = 3.5×10³³ cm⁻²s⁻¹ \int L dt = 6.1 fb⁻¹

$$L_{\text{peak}} = 3.5 \times 10^{33} \text{ cm}^{-2} \text{s}^{-1}$$

368 bunches

2012 2×4.0 TeV,
$$\beta$$
*= 0.6 m, $L_{peak} = 7.7 \times 10^{33} \text{ cm}^{-2} \text{s}^{-1}$ $\int L dt = 23.3 \text{ fb}^{-1}$

$$L_{\text{peak}} = 7.7 \times 10^{33} \text{ cm}^{-2} \text{s}^{-1}$$

2013 2014 shutdown, magnet interconnections

2015 2×6.5 TeV,
$$\beta$$
*= 0.6 m, $L_{peak} = 0.5 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ $\int L dt = 4.2 \text{ fb}^{-1}$

$$L_{\text{peak}} = 0.5 \times 10^{34} \text{ cm}^{-2} \text{s}^{-1} \int L$$

L
$$dt = 4.2 \text{ fb}^{-1}$$

2232 bunches

2016 2×6.5 TeV,
$$\beta$$
*= 0.4 m,

$$L_{\text{peak}} = 1.4 \times 10^{34} \text{ cm}^{-2} \text{s}^{-1} \quad \int L \, dt = 35.6 \, \text{fb}^{-1}$$

2017 2×6.5 TeV,
$$\beta$$
*= 0.3 m, $L_{peak} = 2.1 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ $\int_{-1}^{2} L dt = 50.4 \text{ fb}^{-1}$

$$L_{\text{peak}} = 2.1 \times 10^{34} \text{ cm}^{-2} \text{s}^{-1}$$

$$\int_{C} L dt = 50.4 \text{ fb}^{-1}$$

2544 bunches

2018

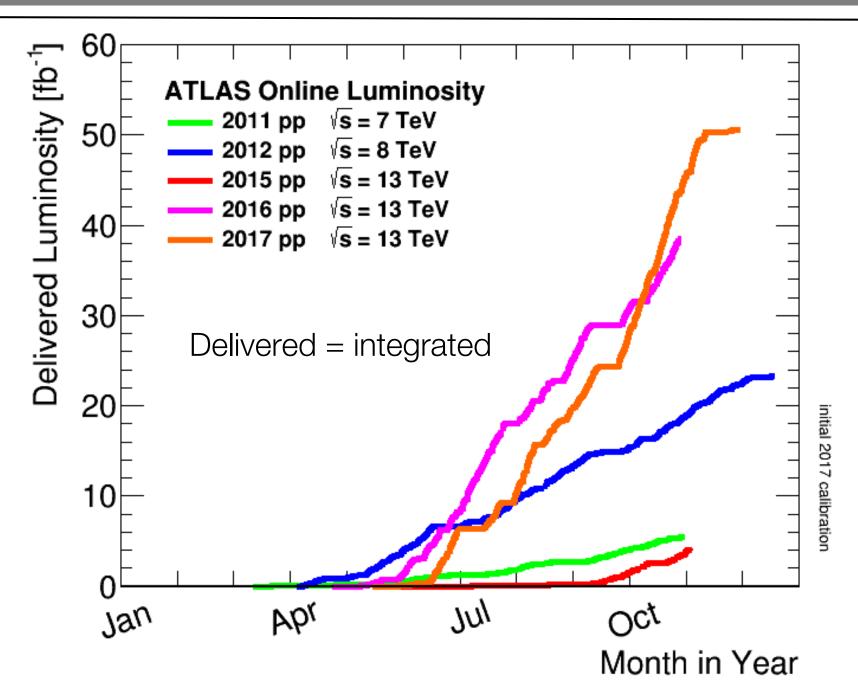
$$\int Ldt = 60 \, fb^{-1}$$

2556 bunches

	_	
	LHC design	achieved
Momentum at collision, TeV/c	7	6.5
Luminosity, cm ⁻² s ⁻¹	1.0E+34	2.1E+34
Dipole field at top energy, T	8.33	8.33
Number of bunches, each beam	3564	2544
Particles / bunch	1.15E+11	1.7E+11
Typical beam size in ring, μm	200 – 300	~300
Beam size at IP, µm	17	16



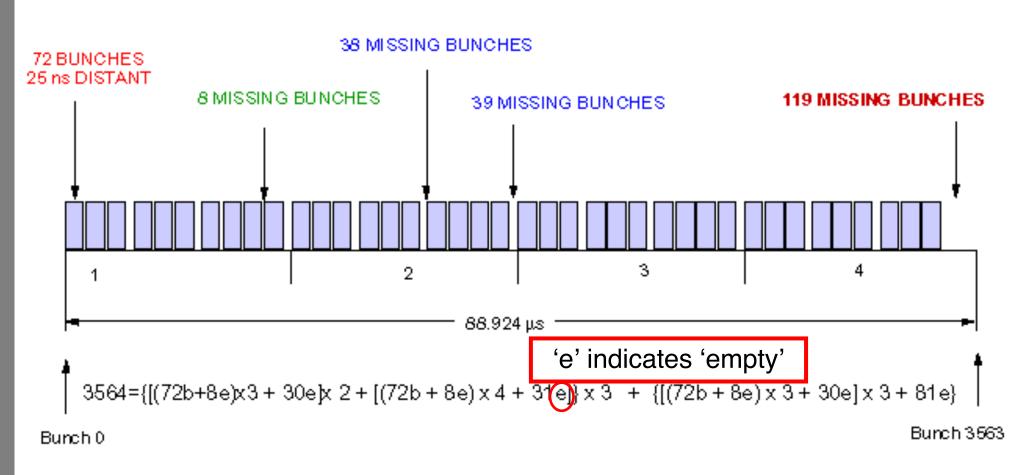
Luminosity delivered by LHC





LHC Nominal Bunch Structure

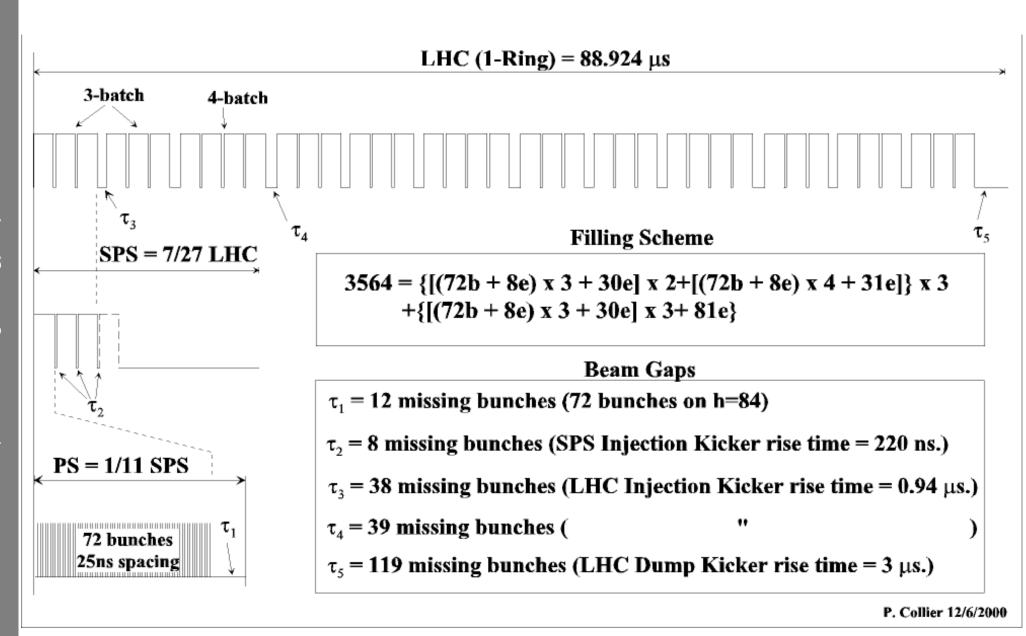
Not all bunches collide!



Filled bunches = $2808 = \{ (72b)x3]x2 + (72b)x4 \}x3+\{ (72b)x3]x3 \}$



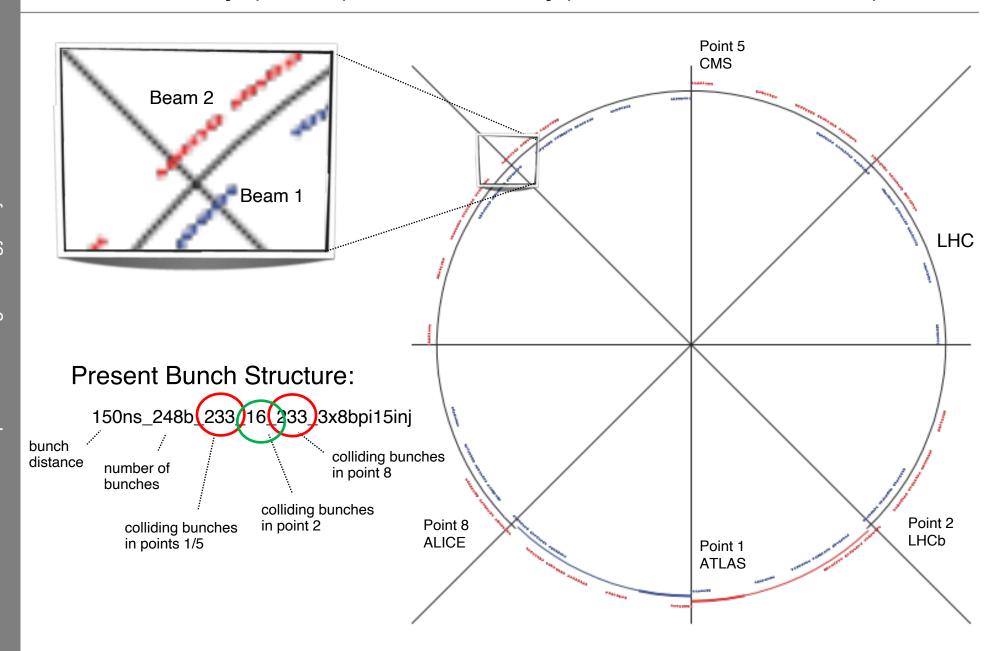
Bunch structures in LHC, SPS and PS





Present LHC Status

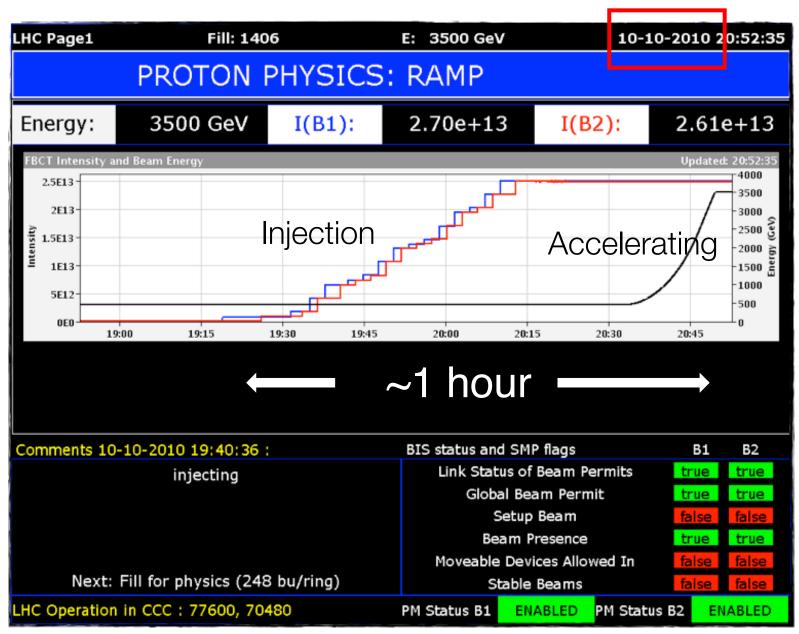
Luminosity (LHCb) << Luminosity(ATLAS, CMS, ALICE)





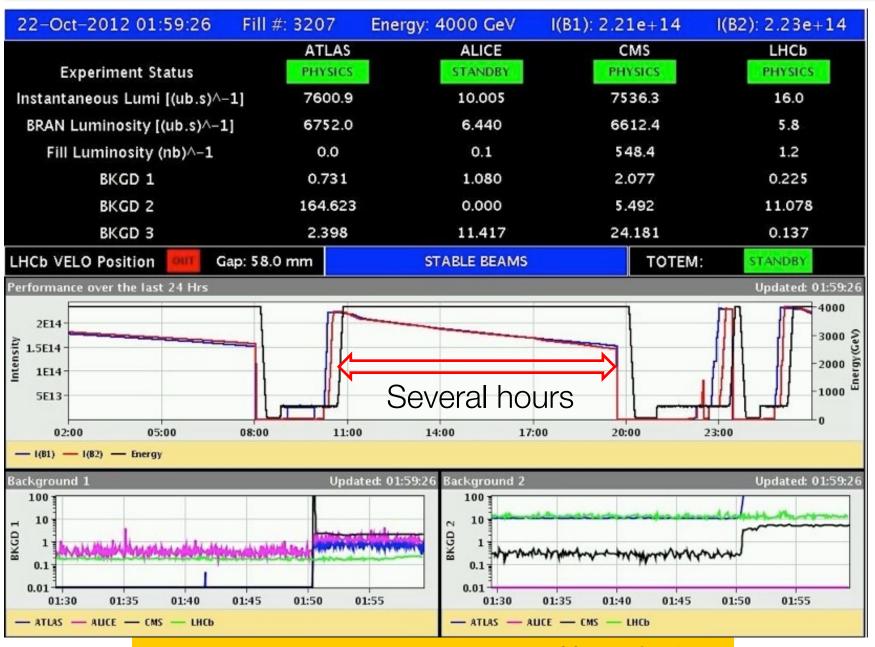
LHC in Operation: what you see in Control Room

- Injection probe beam
- Injection
- Ramp
- Squeeze
- Adjust
- Stable Beams



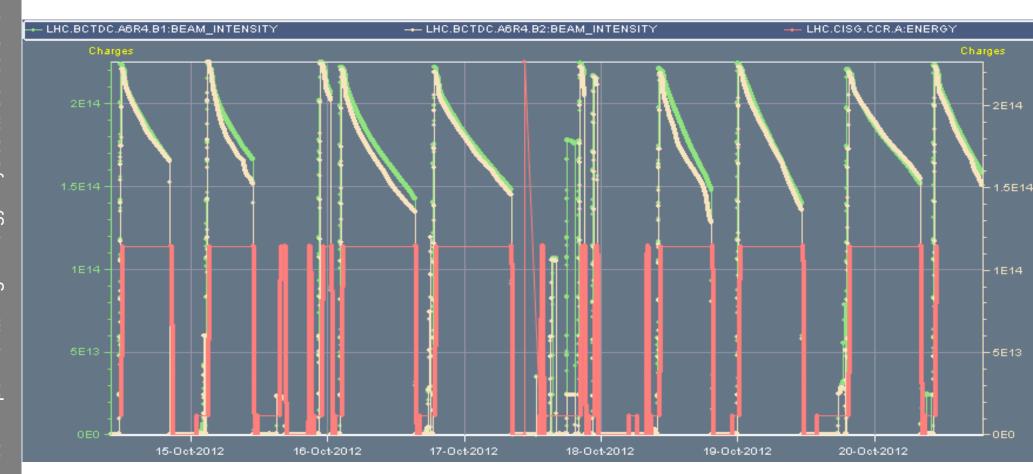


LHC in Operation: what you see in Control Room-2



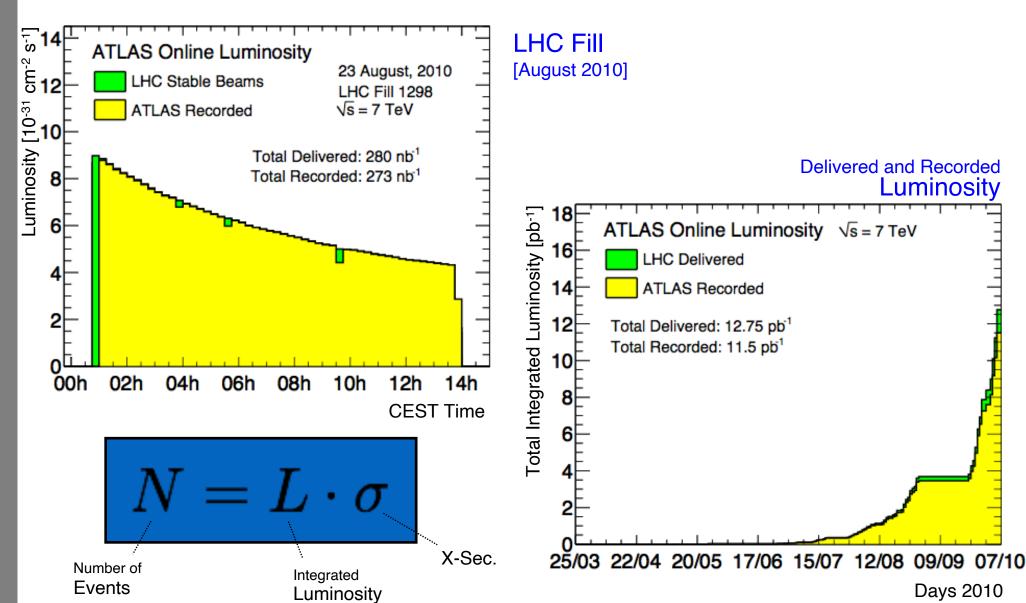


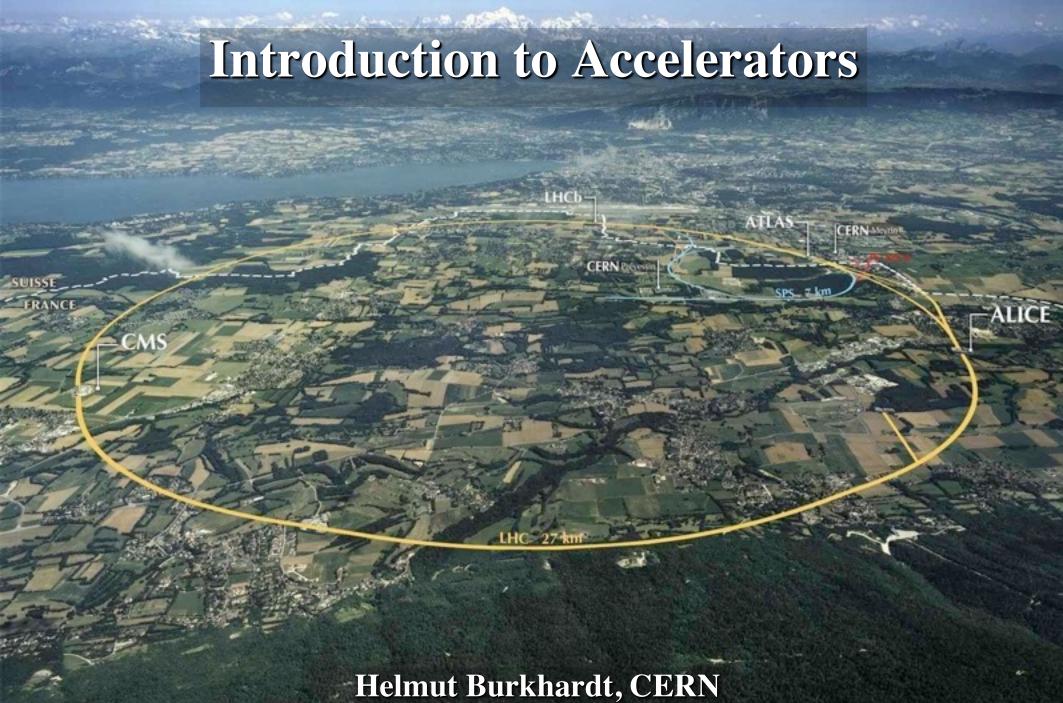
LHC typical week, Oct. '12, 1.2 pb-1





Present LHC Status











Contents

- Concepts: Energy Gain, E / B field. Units
- Types of accelerators: Ring, Collider, Linac, e+e-, pp; Cosmic
- Components: Source, Magnets, resonant Cavities
- Basic machine optics
- Energy and Luminosity
- Synchrotron Radiation
- Limitations, current and future challenges
- Mixed with examples mostly from CERN machines and in particular the LHC

General, introductory refs. and books on Accelerators:

E. D. Courant and H. S. Snyder, Theory of the Alternating-Gradient Synchrotron, pdf

M. Sands, *Physics of Electron Storage Rings*, <u>SLAC Report No. 121</u>; Wiedemann, *Particle Accelerator Physics* Bd. I,II S.Y. Lee, *Accelerator Physics*, <u>World Scientific</u>; M. Conte, W. MacKay, *Physics of Particle Accelerators*, <u>World Scientific</u> CERN CAS yellow reports; K. Wille, *The physics of particle accelerators*, Oxford University Press, 1996

Accelerators for Particle Physics, H. Burkhardt, in Handbook of Particle Detection and Imaging, <u>Ed. C. Grupen</u>, Oct. 2011 The Large Hadron Collider: O. Brüning, H. Burkhardt, S. Myers, <u>10.1016/j.ppnp.2012.03.001</u>, <u>CERN-ATS-2012-064</u>
Accelerators and Colliders, Landolt-Börnstein New Series I/21C, <u>Springer 2013</u>



Accelerators at the Energy Frontier

Livingston plot

Exponential growth of E_{cm} in time

Starting in 60's with e+e- at about 1GeV

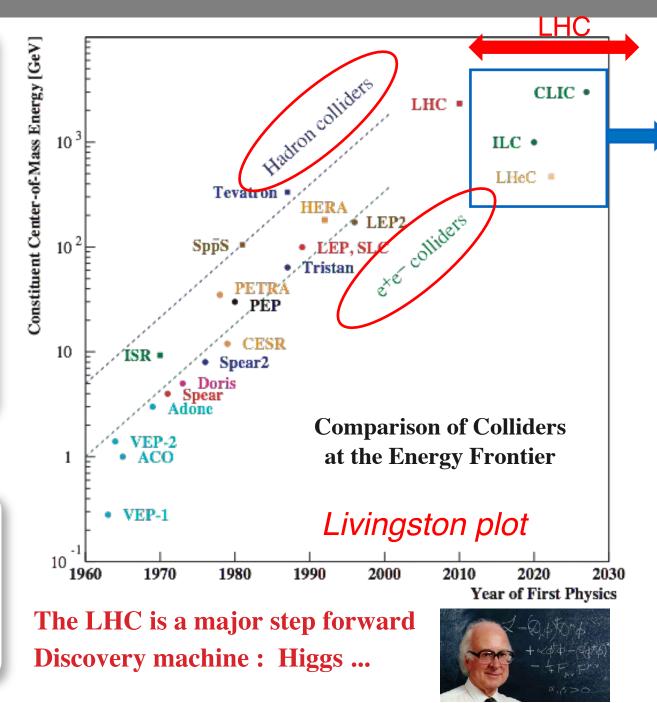
Factor 4 every 10 y

pp, $p\bar{p}$: $E_{cm}/6$ still 5 × above e⁺e⁻ at same time

pp, pp̄ : discovery e+e- : precision

both required machines

+ ep: hadron structure, QCD HERA, LHeC





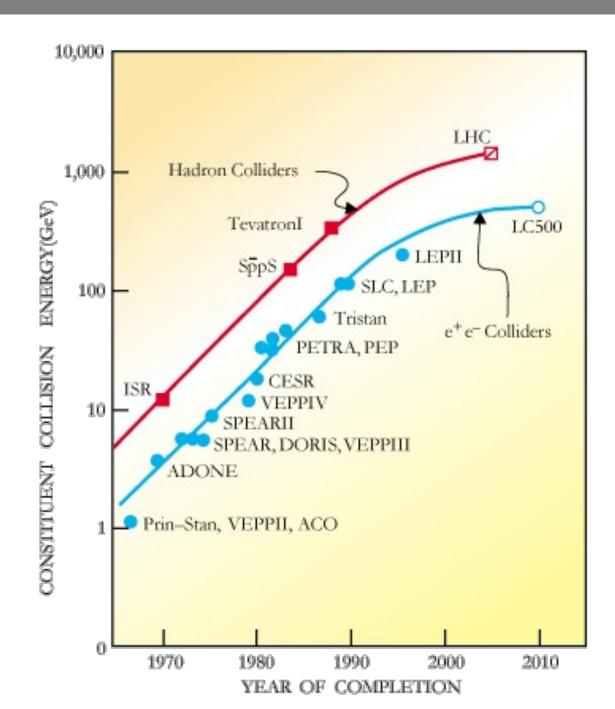
Livingstop plot

Livingston Plot:

Accelerator energy:

Energy reach has increased exponentially over the last 40 years

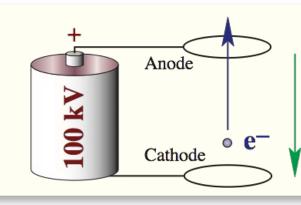
- → Slow-down after 2000 (LHC and ILC)
- → Indication for limit of existing technologies!!





Basic concepts and units

Electric field: Acceleration or rather **Energy gain** 100 keV



Electric charge e and electric field

Special relativity, Lorentz transformation

$$E = \gamma m c^2$$
 $p = \beta \gamma m c$

$$\beta = \frac{v}{c}$$
 $\gamma = \frac{1}{\sqrt{1-\beta^2}}$

 $m_e \approx 0.511 \text{ MeV/c}^2 \ m_p \approx 938 \text{ MeV/c}^2 \ \text{e} \approx 1.602 \times 10^{-19}$

For E = 10 GeV:

Electron
$$\beta = 0.999999987$$
 $\gamma = 19569.5$

Proton $\beta = 0.9955884973$ $\gamma = 10.6579$

Unit conversion

$$E = \gamma m c^2$$
 $p = \beta \gamma m c$ $\beta = \frac{v}{c}$ $\gamma = \frac{1}{\sqrt{1 - \beta^2}}$ $\frac{e^2}{4\pi \epsilon_0} = \alpha \hbar c = r_{\text{part}} m_{\text{part}} c^2$ $= 1.43996 \times 10^{-18} \, \text{GeV m}$

$$\hbar c = 197.327 \times 10^{-18} \,\text{GeV m}$$

$$(\hbar c)^2 = 3.8938 \times 10^{-32} \,\mathrm{GeV^2\,m^2}$$

= $3.8938 \times 10^5 \,\mathrm{GeV^2\,nb}$

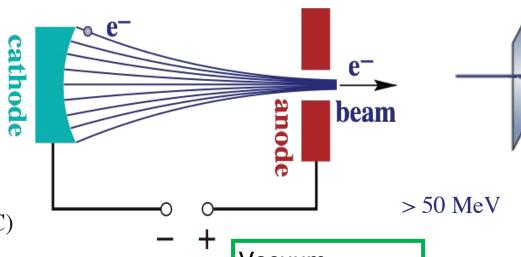
for precise numbers see **PDG**

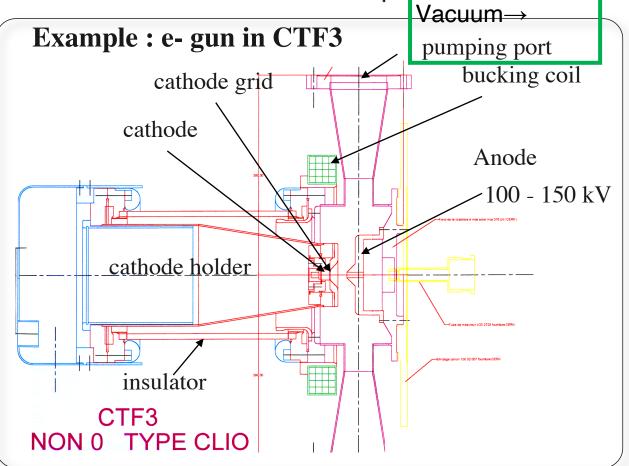
giga $G = 10^9$ tera $T = 10^{12}$ peta $P = 10^{15}$ exa $E = 10^{18}$ zetta $Z = 10^{21}$ yotta $Y = 10^{24}$

133

Particle sources

Thermionic
electron source
principle same as
cathode ray tube
(significant for
temperatures ~ 700 C)





challenges:

focusing solenoid

acceleration, bunching

 $0.5-3 X_0$

e+

Convertor

high intensity

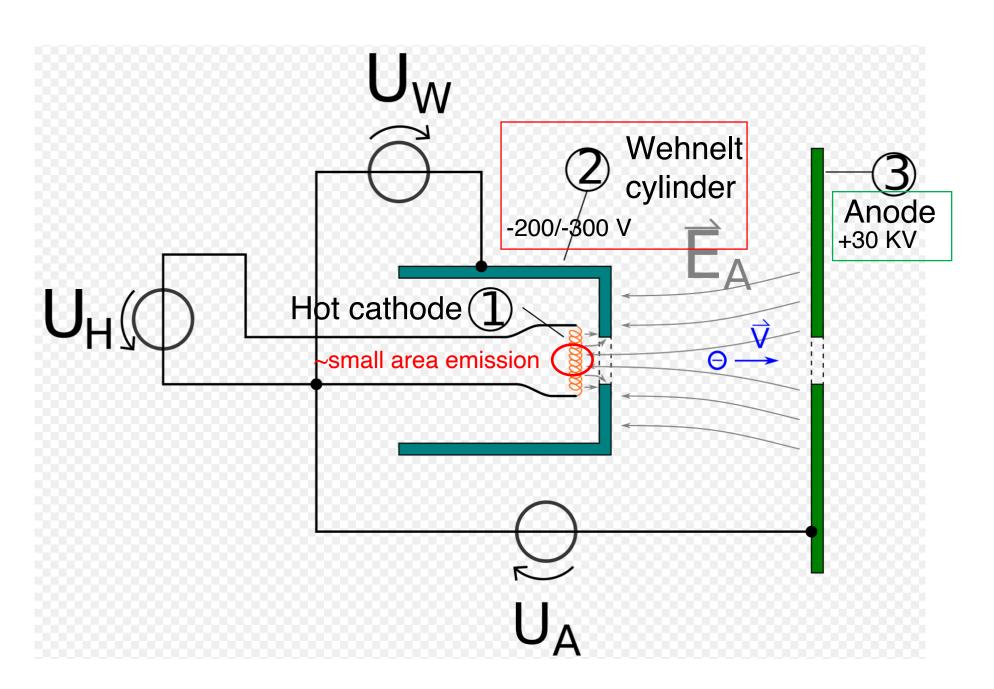
polarized e⁻ sources

damping rings for minimum emittance

undulator polarized e⁺ sources



Electron source





Electron sources, details

A Wehnelt cap has the shape of a topless, hollow cylinder. The bottom side of the cylinder has an aperture (through hole) located at its center, with a diameter that typically ranges from 200 to 1200 µm. The bottom face of the cylinder is often made from platinum or tantalum foil.

Operation

A Wehnelt acts as a <u>control grid</u> and it also serves as a convergent <u>electrostatic lens</u>. An electron emitter is positioned directly above the Wehnelt aperture, and an anode is located below the Wehnelt. The anode is biased to a high positive voltage (typically +1 to +30 kV) relative to the emitter so as to accelerate electrons from the emitter towards the anode, thus creating an electron beam that passes through the Wehnelt aperture. The Wehnelt is biased to a negative voltage (typically -200V to -300V) relative to the emitter, which is usually a <u>tungsten</u> filament or <u>Lanthanum hexaboride</u> (LaB₆) <u>hot cathode</u> with a "V" shaped (or otherwise pointed) tip. This bias voltage creates a repulsive electrostatic field that suppresses emission of electrons from most areas of the cathode.

The emitter tip is positioned near the Wehnelt aperture so that, when appropriate bias voltage is applied to the Wehnelt, a small region of the tip has a net electric field (due to both anode attraction and Wehnelt repulsion) that allows emission from only that area of the tip. The Wehnelt bias voltage determines the tip's emission area, which in turn determines both the beam current and effective size of the beam's electron source.

As the Wehnelt bias voltage increases, the tip's emitting area (and along with it, the beam diameter and beam current) will decrease until it becomes so small that the beam is "pinched" off. In normal operation, the bias is typically set slightly more positive than the pinch bias, and determined by a balance between desired beam quality and beam current.

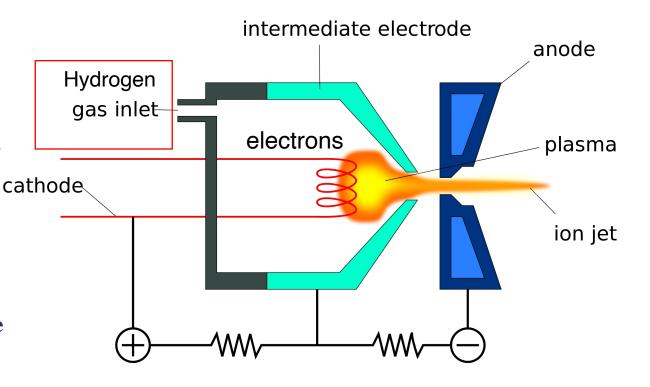
The Wehnelt bias controls beam focusing as well as the effective size of the electron source, which is essential for creating an electron beam that is to be focussed into a very small spot (for scanning electron microscopy) or a very parallel beam (for diffraction). Although a smaller source can be imaged to a smaller spot, or a more parallel beam, one obvious trade off is a smaller total beam current.



Proton and ion sources

Various methods exist to produce p (H+), H- (p with 2 e-) and heavy ions - heavier atoms, most electrons removed

Typically involves: **low pressure heated gas** ionized gas / plasma,
inject H₂ to get protons, **or surface sputtering and electric and magnetic fields** to keep the
electrons



CERN p-source and 50 MeV Linac





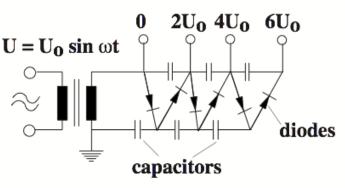
Linear Acceleration with Electrostatic Field

allows for DC, 100 % duty factor

limited by HV-breakdown $\sim 1 \text{ MV} / \text{m}$



Cockcroft Walton voltage multiplier



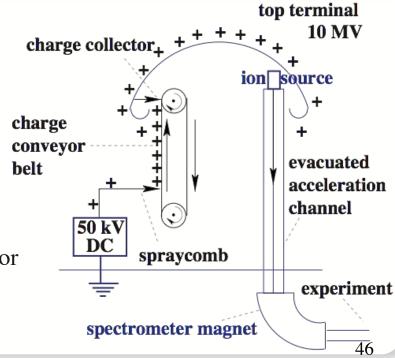
800 kV proton preinjector used at CERN until 1993





Van de Graaff generator static electricity from belts

Oak Ridge Tandem Van de Graaff generator reached 25.5 MV using pressurised SF₆



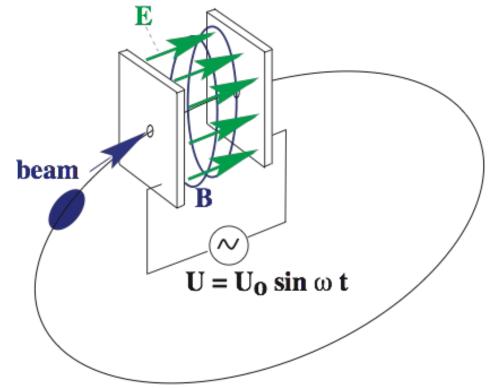
Time Varying Fields

Radio-Frequency or short RF acceleration

- allows for multiple passages
- bunched beams, reduced duty cycle
- higher RF frequencies allow for higher acceleration gradients

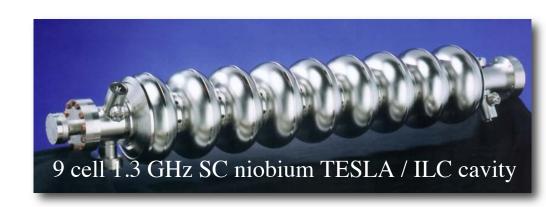
no time for breakdown / flashover

LEP, SC 8 MV/m at 352 MHz
Tesla/ILC, SC 31.5 MV/m at 1.3 GHz
CLIC 100 MV/m at 12 GHz



little gain above 12 GHz SC limit ~ 50 MV/m, reached for single cell surface gradients higher then acceleration gradients, smooth structures

high f : shorter bunches - collective effects (peak current) and alignment more difficult less energy stored in structure





Basic parameters, Lorentz Force

 $\mathbf{F} = \mathbf{q} (\mathbf{E} + \mathbf{v} \times \mathbf{B})$

charge q, normally q = e; q = Z e for ions

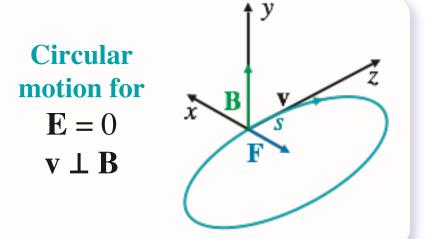
- Electric field **E** provides the acceleration or rather energy gain
- The magnetic field **B** keeps the particles on their path

 ρ is the radius of curvature for motion perpendicular to the static magnetic field. Often called

- gyromagnetic or Larmor radius in astroparticle physics
- bending radius for accelerators
 Bρ known as magnetic rigidity, units Tm

LHC

- Momentum p = 7 TeV/c
- LHC bending radius $\rho = 2804 \text{ m}$
- Bending field B = 8.33 Tesla
- magnets at 1.9 K, super-fluid He



$$B = \frac{p}{q \rho} \quad \begin{array}{l} \text{for } q = e \text{ numerically} \\ B [T] = p [GeV/c] \quad 3.336 \text{ m} / \rho \\ \text{high energy, } v = c \text{ "p} = E" \\ E < E_H = q B \rho \text{ Hillas criterion} \end{array}$$

Astroparticle

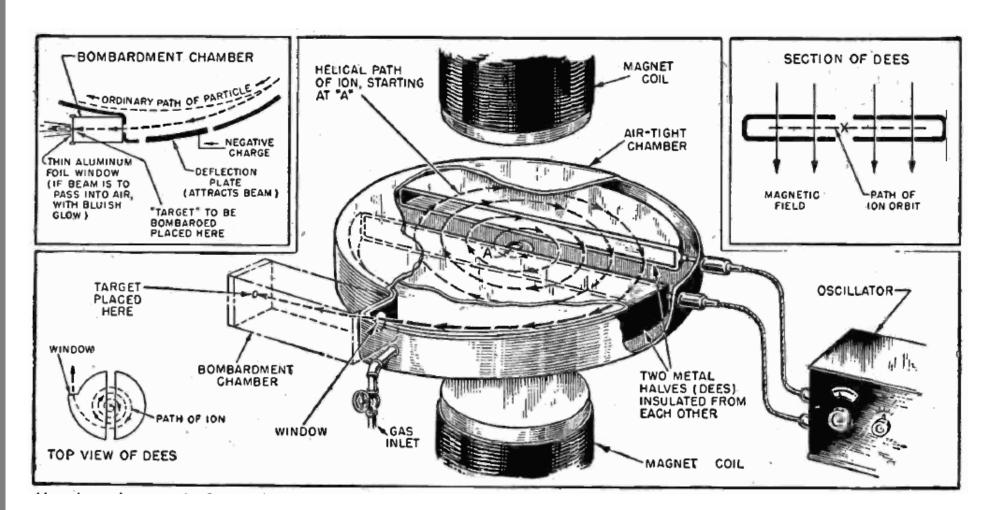
units
$$10^{-4}T = 1Gauss$$
; a.u. $= 1.5 \times 10^{11}m$
Solar system $B = 10\mu G$ $E = 5 \text{ TeV}$ $\rho = 11 \text{ a.u.}$
Intergalactic $B = 1nG$ $E = 5 \text{ PeV}$ (knee) $\rho = 1.7 \times 10^{19}m$ (4 % of galaxy-radius)



A sketch of an historical Cyclotron

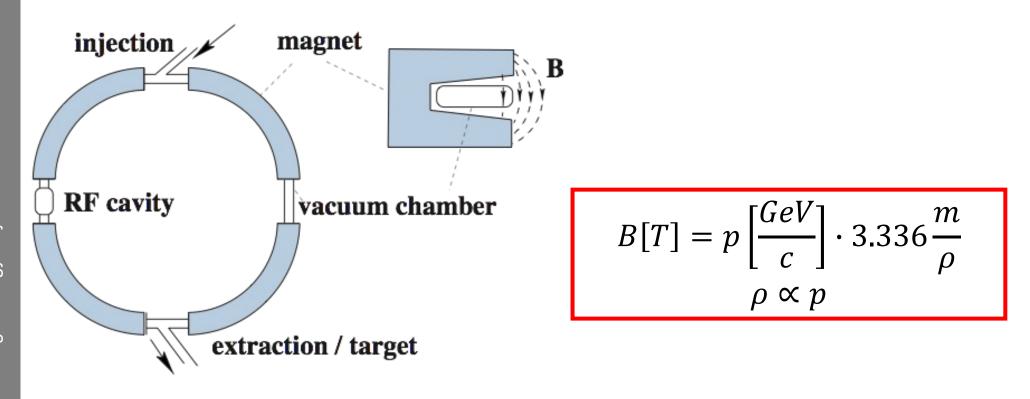
 $A \rightarrow B$

Cyclotron: constant rf-frequency. Magnetic field radius of increases with energy. Used for smaller machines





Circular Accelerator



• Synchrotron: $\varrho = \text{const.}$ B increased with energy. RF-frequency adjusted slightly ($\beta = 0.999$.. 1.0). Most HEP and all CERN ring accelerators PS, SPS, LEP, LHC of this type. Principle same for e, p, heavy-ion – PS, SPS – accelerate(d) all of these, in some cases switching within seconds

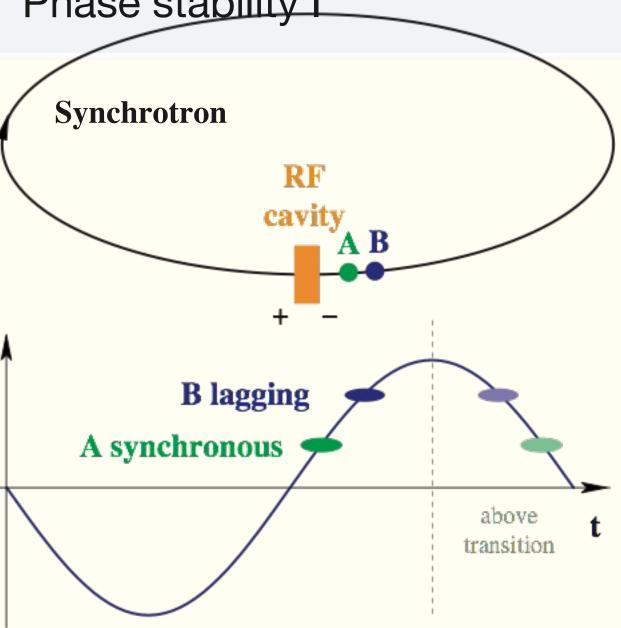


Phase stability_

acceleration, ramping up in energy:

- allow for enough RF-voltage
- ramp up magnets
- particle adjust themselves in radius and phase to gain on average the right amount of energy

LHC nominal **RF** parameters Voltage at injection 8 MV top energy 16 MV Revolution frequency $f_{rf} = h f_{rev}$



h = 35 640 $f_{rf} = 400.7896$ MHz L = 26658.864 m Circumference $L = v / f_{rev} = \beta c / f_{rev}$ $f_{rev} = 11.2455 \text{ kHz}$ 1 turn in 88.92446 µs



Magnets and Power Consumption

Why super conducting magnets?

$$P = R I^2$$

LEP

Lep = e⁺e⁻ machine

B = 0.1 T LEP2 ~ 100 GeV

(half) cells with each three 11.55 m long dipole magnets

I = 4.5 kA together $R = 1 \text{ m}\Omega$ P = 20 kW / cell

 $488 \text{ cells} \qquad \qquad P = 10 \text{ MW}$

if we would have kept the same magnets for the LHC

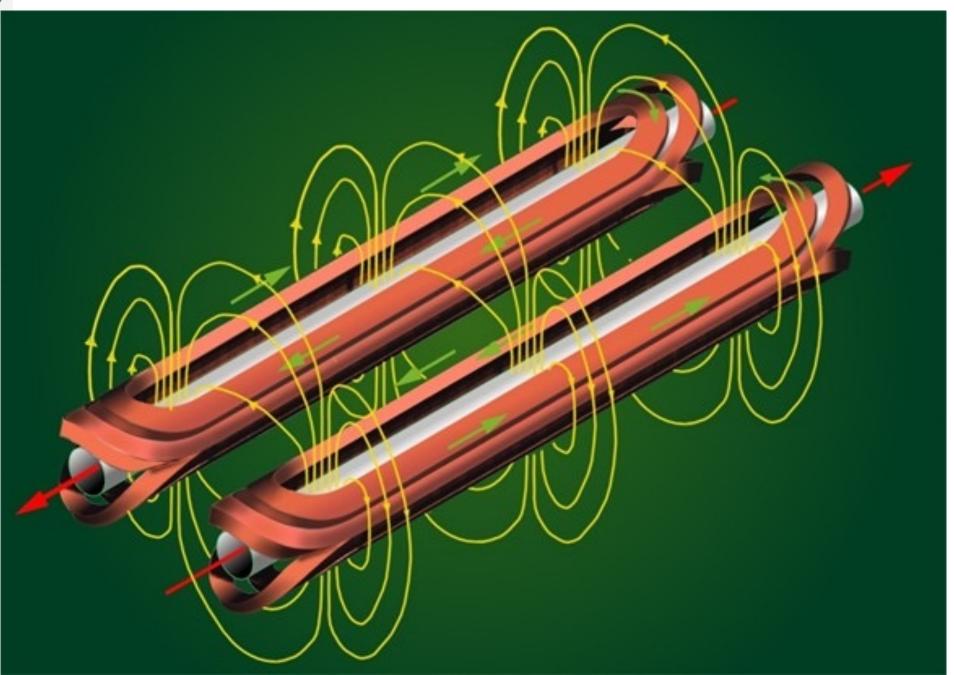
LHC $B \propto I$ B = 8.38 T

LHC = pp machine

would need now I = 280 kA with LEP magnets $R = 1 \text{ m}\Omega$

 $P = 78 \text{ MW} / \text{cell} \times 488 \text{ cells}$ total power P = 38 GW

LHC dipoles

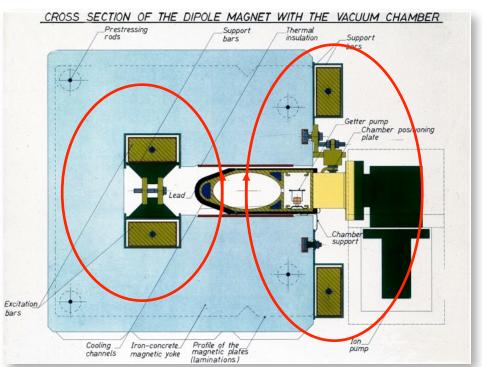


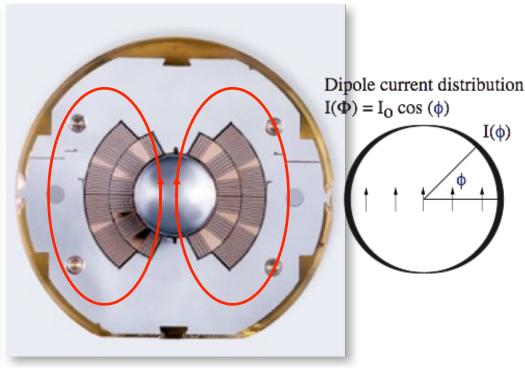


Magnet technology

warm

rm cold





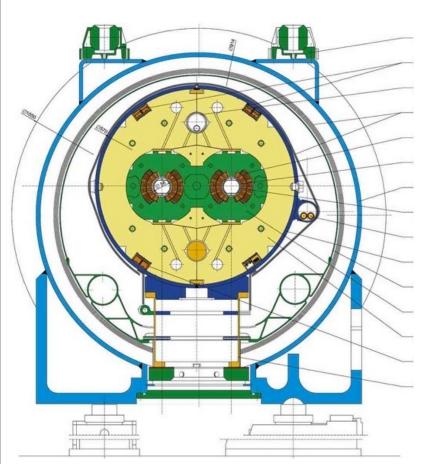
- field quality given by pole face geometry
- field amplified by Ferromagnetic material
- hysteresis and saturation $\sim 2 \text{ T}$
- Ohmic losses for high magnet currents

- field quality given by coil geometry
- requires cooling to cryogenic temperatures
- persistent currents and snap back
- risk of magnet quenches

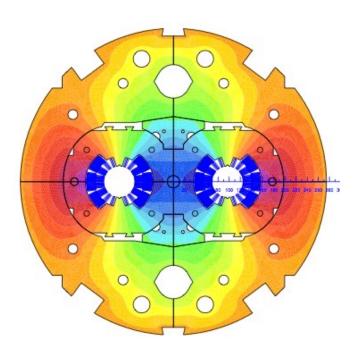


LHC dipole magnet

2-in-1 dipole magnet, 8.33 T field, 15 m long, mass 30 ton



alignment target
main quadrupole bus-bars
heat exchange pipe
superinsulation
superconducting coils
beam pipe
vacuum vessel
beam screen
auxiliary bus bars
shrinking cylinder / He I-vessel
thermal shield (55 to 75 K)
non-magnetic collars
iron yoke (cold mass, 1.9 K)
dipole bus-bars
support post

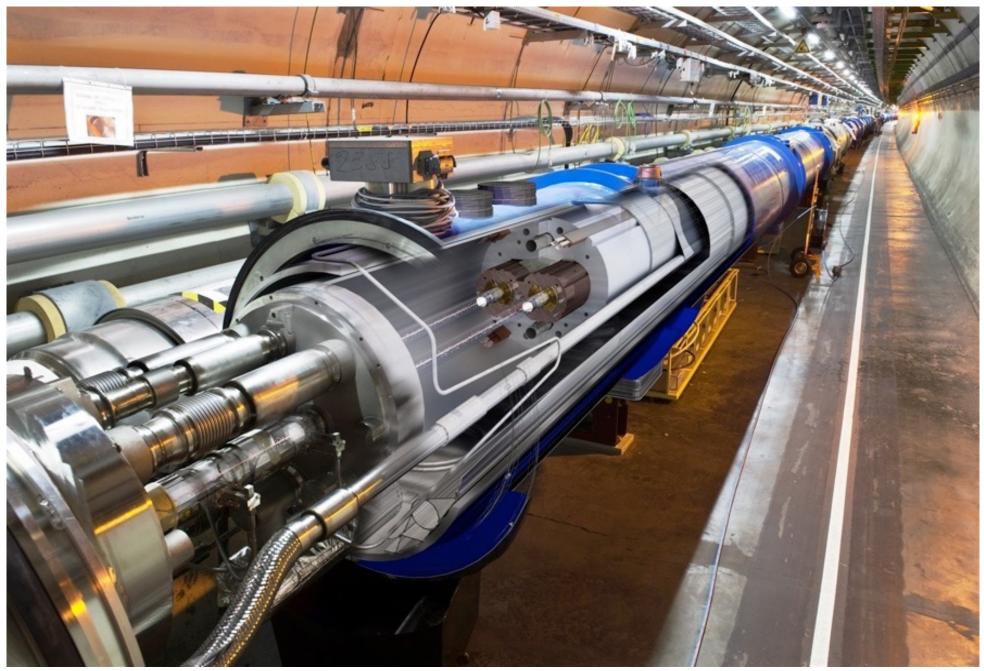


current distribution

LHC dipole magnet cross-section

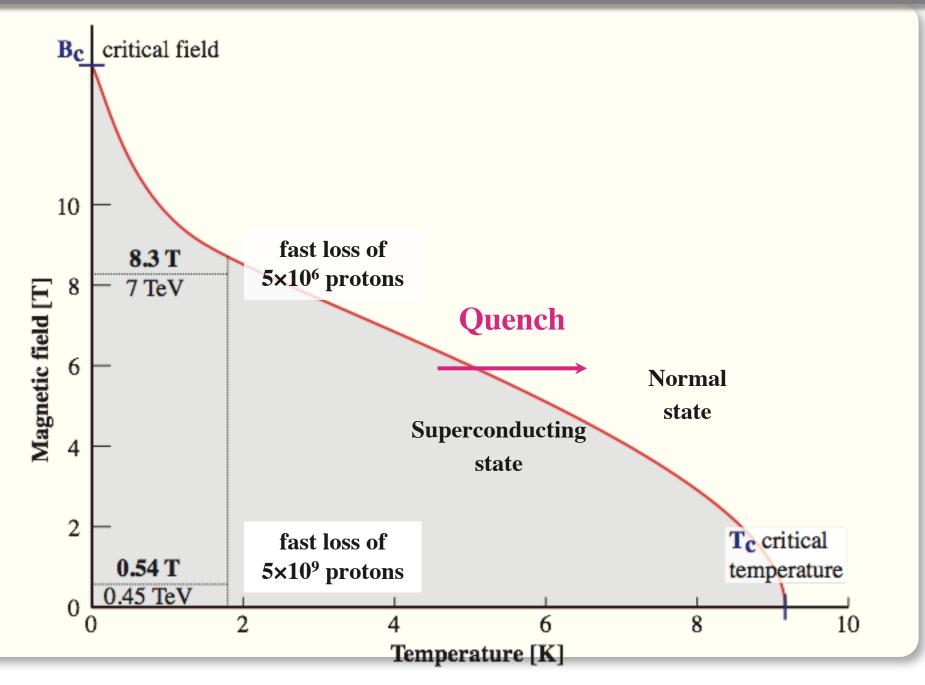


LHC magnets installed in the tunnel



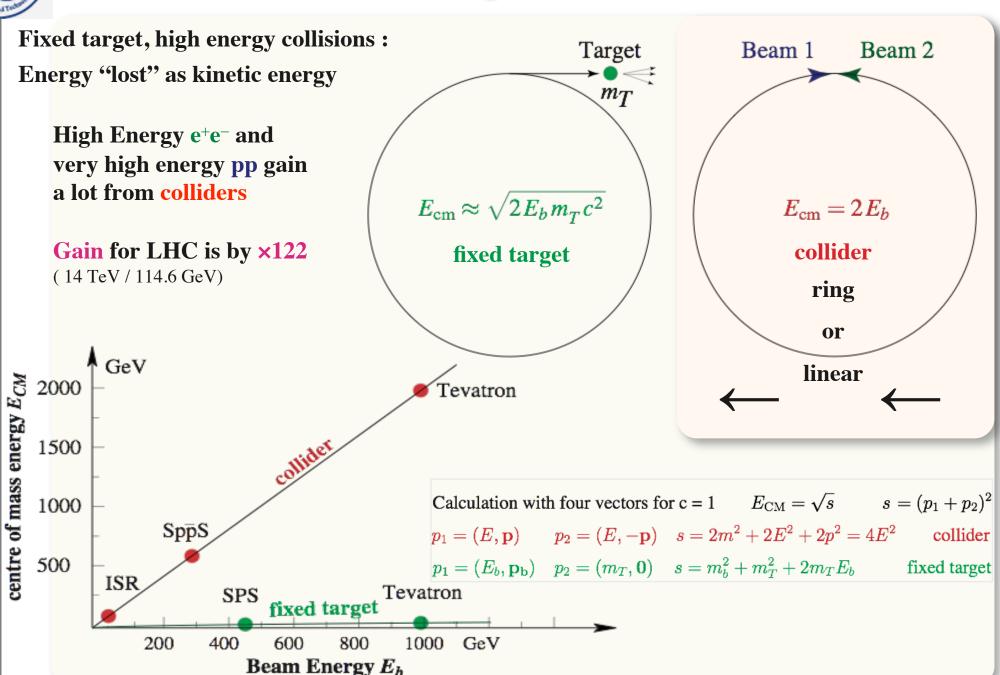


Operational margin of a superconducting LHC dipole





Fixed Target vs Collider



Primary cosmic ray spectrum -10^{4} 10^{7} 10^{9} 10^{5} 10^{6} 10^{8} E spectrum falls as E^{-2.7} 10^{5} to knee at $E \approx 5e^{15} \text{ eV}$ from PDG 2007 Knee $= 5 \times 10^6 \, \text{GeV}$ ~1 particle/(m² year) origin galactic 2nd Knee Grigorov A above $\sim E^{-3}$ TienShan • Ankle Tibet07 • back to E^{-2.7} at very Akeno • CASA/MIA highest energies Hegra Flys Eye conversion to Ecm Agasa HiRes1 E_{cm} [TeV] E_b [eV] HiRes2 10^{13} 0.137 Auger SD Auger hybrid 10^{15} 1.370 ×10 in Ecm Kascade = LHC pp 10^{17} 13.70 10^{19} 137.0 ← LHC ions 10^{16} 10^{14} 10^{15} 10^{19} 10^{18} 10^{17} 10^{21} 1370. E [eV] fixed target

Nature has much larger and more powerful **cosmic accelerators** then we can ever built. **With colliders** we can get to these collision energies in clean laboratory conditions. The LHC already gets us to within 1-2 orders of magnitude of the very highest cosmic rays.

Luminosity and collision rates

Event rate for process with cross section σ

$$\dot{n} = \mathcal{L}\sigma$$

Luminosity from bunch crossings at frequency $f = f_{rev} n_b$

$$\mathcal{L} = \frac{N_1 N_2 f}{A}$$

Interaction region

Bunch 1 Bunch 2

1 Effective area A

for Gaussian bunches with rms sizes $\sigma_x \sigma_y$ $\mathbf{A} = 4 \pi \sigma_x \sigma_y$

 N_2

High **Luminosity**: N↑ collide many particles, A↓ squeezed in small bunches

LHC 1.15×10¹¹ protons, $n_b = 2808$ ($f\uparrow$ crossings at 25 ns intervals)

Beams squeezed using strong

large aperture quadrupoles

around the interaction points

from ~ 0.2 mm to

$$\sigma_x = \sigma_y = 17 \mu m$$

$$<\beta>=80 \text{ m}$$

$$\beta_{IP} = 0.5 \text{ m}$$

Rare new processes, like Higgs production can have very small cross section, like $1 \text{fb} = 10^{-39} \text{cm}^2$. LHC designed for very high Luminosity $\mathbf{L} = \mathbf{10^{34} \, cm^{-2} s^{-1}}$

Event rate for such rare processes : ~ 1 new particle every 28h.

Instead pp $\sigma_{tot} \approx 0.1$ barn 30 / crossing

Alternate gradient focusing

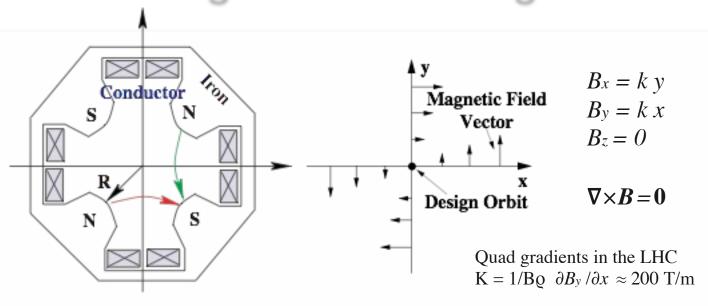
Quadrupole lens focusing in x, defocusing in y or vice versa

$$\mathbf{F} = \mathbf{e} (\mathbf{v} \times \mathbf{B})$$
here
$$\mathbf{F} = \mathbf{e} (0, 0, \mathbf{v}) \times (B_x, B_y, 0)$$

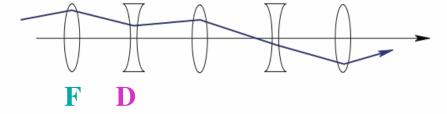
$$= \mathbf{e} (-\mathbf{v} B_y, +\mathbf{v} B_x, 0)$$

Combine F D
Defocusing when at small amplitude
Overall focusing

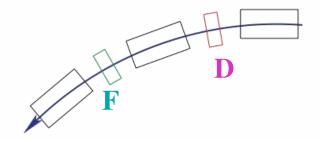
Normal (light) optics: Focal length of two lenses at distance D $1/f = 1/f_1 + 1/f_2 - D/f_1f_2$ is overall focusing with $1/f = D/f^2$ for $f = f_1 = -f_2$



alternate gradient focusing



together with bending magnets FODO lattice



N. C. Christofilos, unpublished manuscript in 1950 and patent Courant, Snyder in 1952, Phys. Rev. 88, pp 1190 - 1196 + longer review in <u>Annals of Physics 3 (1958)</u>

Betatron motion

Equation of motion of particles in a ring (with bending fields) and quadrupoles (field gradients $\propto \partial B/\partial r$)

In both transverse planes, here written with x for x, y: known as Mathieu-Hill equation

$$x''(s) + k(s) x(s) = 0,$$

derived in 1801 to describe planetary motion

Generalised oscillator equation with position dependent, periodic restoring force k(L+s) = k(s) given by the quadrupole

gradients (+ the small weakly focusing bending term in the ring plane)

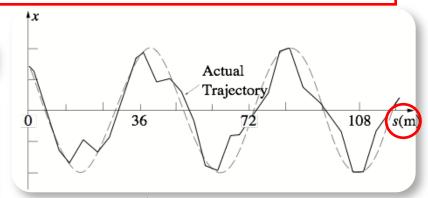
$$x(s) = \sqrt{\beta(s)}\cos(\mu(s) + \phi)$$

Phase advance

Lyapunov-Floquet Transformation

Tune # of betatron oscillations

$$Q = \mu / 2\pi$$



motion $x/\sqrt{\beta}$ plotted with phase advance normalised coordinates - becomes simple cos

- **beta function**, describes the focusing properties of the magnetic lattice
- invariant, together with $\beta(s)$ amplitude. "single particle emittance"

Motion conveniently described in phase space (x, x') where $x' = p_x / p$ and linear optics elements as matrices; with simple case for M, applies for IP to IP

$$\begin{pmatrix} x(s) \\ x'(s) \end{pmatrix} = \mathbf{M} \begin{pmatrix} x(s_0) \\ x'(s_0) \end{pmatrix}$$

$$\begin{pmatrix} x(s) \\ x'(s) \end{pmatrix} = \mathbf{M} \begin{pmatrix} x(s_0) \\ x'(s_0) \end{pmatrix} \qquad \mathbf{M} = \begin{pmatrix} \cos 2\pi Q & \beta \sin 2\pi Q \\ -\frac{1}{\beta} \sin 2\pi Q & \cos 2\pi Q \end{pmatrix}$$

Accelerator design: starts with magnet lattice based on linear beam optics; MAD program



Orbit stability and tune

0.3

0.28

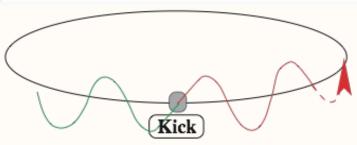
0.26

0.24

0.22

0.2

 $\mathbf{Q}_{\mathbf{y}}$



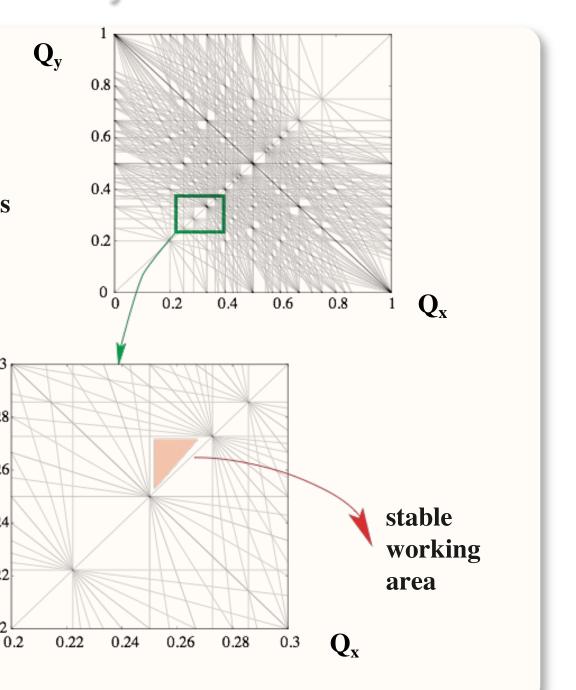
Misalignments and dipole field errors

 \rightarrow orbit perturbations

would add up on successive turns for integer tune Q = N

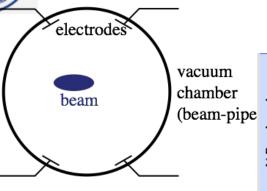
Higher order field errors, Quad., Sext. perturbations. Avoid simple fractional tunes $nQ_x + m Q_y + m Q_s = int$.

Minimise field and alignment errors

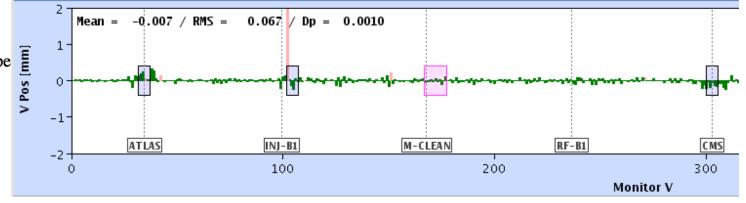


Orbit, tune measurement and peak beam current

vertical orbit, June 2011, 1st half of LHC shown



Beam Pickup Monitor



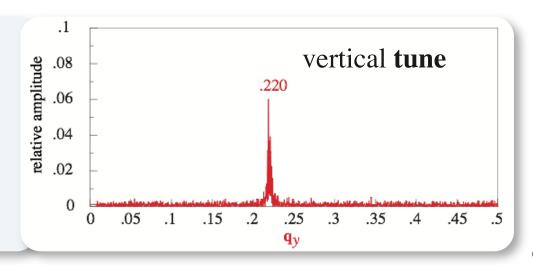
(Ib) averagering andÎ local peakcurrent

$$\hat{I} = rac{\langle I_b
angle L}{\sqrt{2\pi} \, \sigma_z}$$

Typical numbers, for a single bunch $\begin{array}{lll} \langle I_b \rangle &= n \ e \ f_{rev} \\ LEP \ n &= 4 \times 10^{11} & \langle I_b \rangle &= 0.72 \ mA & \sigma_z = 2 \ cm & \hat{I} = 960 \ A \\ LHC \ n &= 1.15 \times 10^{11} & \langle I_b \rangle &= 0.21 \ mA & \sigma_z = 7.55 \ cm & \hat{I} = 73.2 \ A \\ f_{rev} &= 11245 \ kHz, & L = 26658.9 \ m \end{array}$

Bunch peak currents are many Amperes!
Strong signals, used to monitor beam
position and oscillations

Also source of undesirable effects: wake fields, heating, instabilities





Transverse beam size and emittance

consider : beam of many particles on stable orbit and

simple case: dispersion and slope $\beta'=0$ by default at IP - relevant for experiments

beam size, r.m.s.

 $\sigma(s) = \sqrt{\varepsilon \beta(s)}$

beam divergence, r.m.s.

 $\theta(s) = \sqrt{\varepsilon/\beta(s)}$

product

 $\varepsilon = \sigma(s)\theta(s)$

 β - function : local machine quantity - focusing of lattice

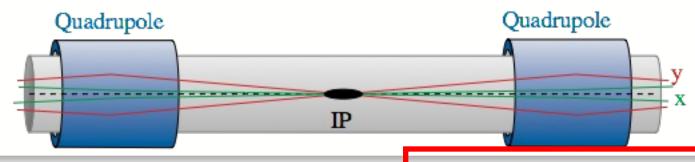
Emittance ε : beam quantity - the average action

related to phase space density or kind of beam temperature

given by initial conditions (injected beam)

or equilibrium of quantum excitation and damping - 2nd lecture in ideal machine: x, y, z motion uncoupled, 3 emittances $\varepsilon_x, \varepsilon_y, \varepsilon_z$

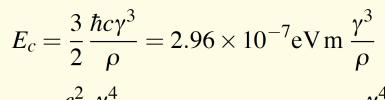
IP: squeeze β to a minimum, called β^* \Rightarrow maximum of divergence, needs aperture



LHC $\epsilon_N = \epsilon \beta \gamma = 3.75 \mu m$, at top $E_b = 7 \text{ TeV}$: $\epsilon = 0.503 \text{ nm}$, $\beta^* = 0.55 \text{ m}$, $\sigma^* = 16.63 \mu m$, $\theta^* = 30 \mu \text{rad}$

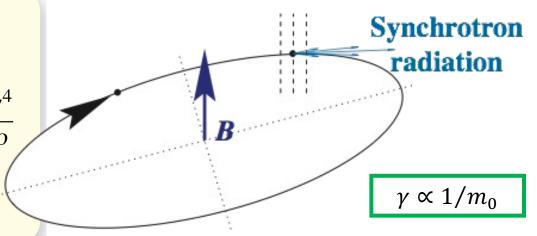


Standard Synchrotron Radiation



$$U_0 = \frac{e^2}{3\varepsilon_0} \frac{\gamma^4}{\rho} \approx 6.0317 \cdot 10^{-9} \text{ eV m} \frac{\gamma^4}{\rho}$$

$$P_b = \frac{U_0 I_b}{e}$$



		$oldsymbol{E}$	γ	Q	U_{o}	E_c	τd	N	I	P_b	В
		GeV		m	MeV	keV	S	10^{12}	mA	MW	T
RHIC	Au	A×10 0	107.4	242. 8	21×10 ⁻⁶	1.5×10-	4.9×10 ⁶	0.06	60	1.3×10 ⁻¹²	3.42
LHC	p	7000	7460. 5	2804	0.0067	0.044	61729	646	1163	0.0072	8.33
LEP1	e	45.6	89237	3026	126	69.5	23×10 ⁻³	2.22	4	0.5	0.05
LEP2	e	104.5	20450	3026	3490	836	1.9×10-	2.8	5	18	0.115

Same beam energy E and radius Q: electron instead of proton $U_0 \sim \gamma^4$: $(m_p/m_e)^4 = 1.13 \times 10^{13}$

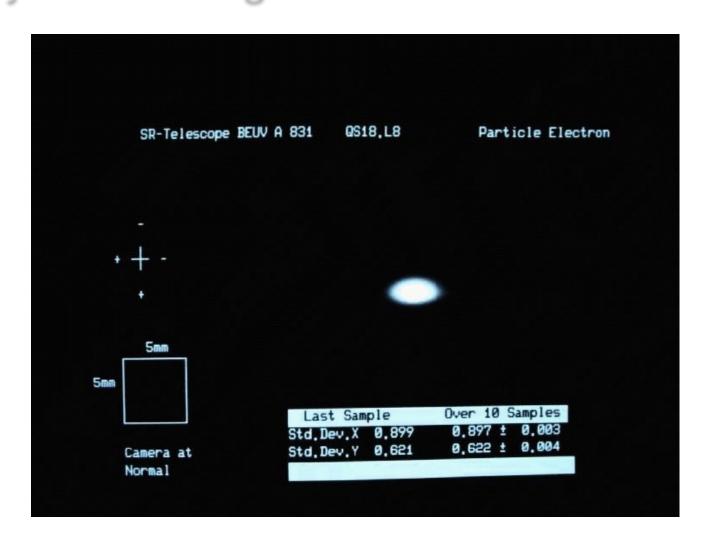
Electrons, E >> 100 GeV needs linear collider (ILC / CLIC)

Damping time E/U_{θ} turns or $\tau_{d} = t_{rev} E/U_{\theta}$ revolution time LEP/LHC $t_{rev} = 88.9 \,\mu s$ Gold ions Au⁷⁹⁺ A=197 $\langle E_{\gamma} \rangle = 8/(15\sqrt{3}) E_c \quad 8/(15\sqrt{3}) \approx 0.308$



Synchrotron light monitor

Picture from LEP. Typical transverse rms beam size 0.15 mm vertical 1.5 mm horiz.

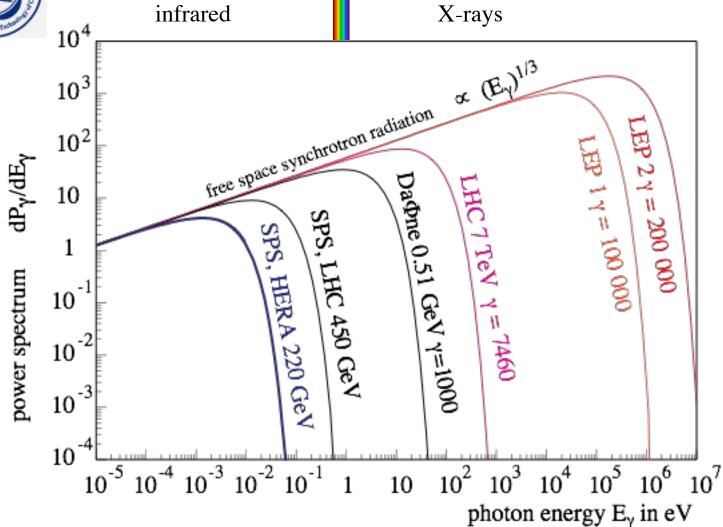


Mirror, small slit, telescope and camera: beams continuously visible.

Now also used for protons in the LHC.



Power Spectrum, Free space, Cutoff and CSR



$$\frac{\mathrm{f_{cutoff}}}{\mathrm{f_{rev}}} = \sqrt{\frac{2}{3}} \left(\frac{\pi \rho}{h}\right)^{3/2}$$

12 orders of magnitude in E_{γ} and λ

$$10^{-5} \text{ eV}$$
 $\lambda = 0.124 \text{ m}$
 10^{+7} eV $\lambda = 124 \text{ fm}$

Effects which can modify the low energy, long wavelength spectrum:

i) Coherent Synchrotron Radiation CSR

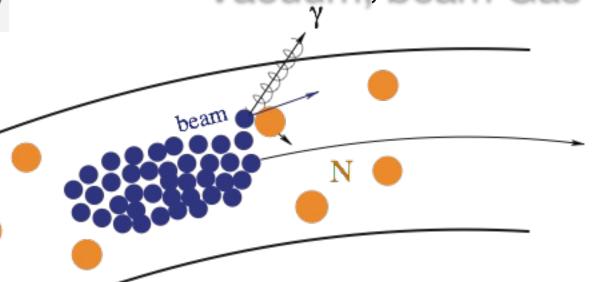
increases radiation and loss

ii) Boundary conditions - cutoff by conducting chamber decreases radiation and loss

Energy Loss of Gold Ions in RHIC, <u>EPAC 2008</u>



Vacuum, beam Gas - lifetime



Beam blow up, core + halo Background to experiments loss, radiation, beam and Luminosity lifetime

Minimize effect:
Good vacuum
O(nTorr or 10⁻⁹ mb)
Collimation

$$\frac{1}{\tau} = -\frac{1 \, dn}{n \, dt}$$

beam lifetime τ general expression average time between collisions leading to beam loss inverse normalised loss rate

$$p=1\,\mathrm{ntorr}=1.33 imes10^{-7}\,\mathrm{Pa}$$
 $ho_m=rac{p}{kT}=3.26 imes10^{13}\mathrm{molecules}\,/\,\mathrm{m}^3$

typical cross section $\sigma = 6 \, \mathrm{barn} = 6 \times 10^{-28} \mathrm{m}^2$ collision probability $P_{\mathrm{coll}} = \sigma \, \rho_m = 1.96 \times 10^{-14} / \, \mathrm{m}$

$$au = rac{1}{P_{
m coll}\,c} = 1.7 imes 10^5\,{
m s} = 47\,{
m hours} \qquad {
m for} \ \ v pprox c$$



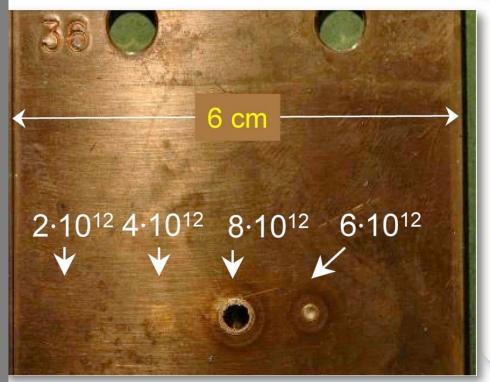
Damage potential: confirmed in controlled SPS experiment

controlled experiment with beam extracted from SPS at 450 GeV in a single turn, with perpendicular impact on Cu + stainless steel target

450 GeV protons

r.m.s. beam sizes $\sigma_{x/y} \approx 1 \text{ mm}$





SPS results confirmed:

8×10¹² clear damage

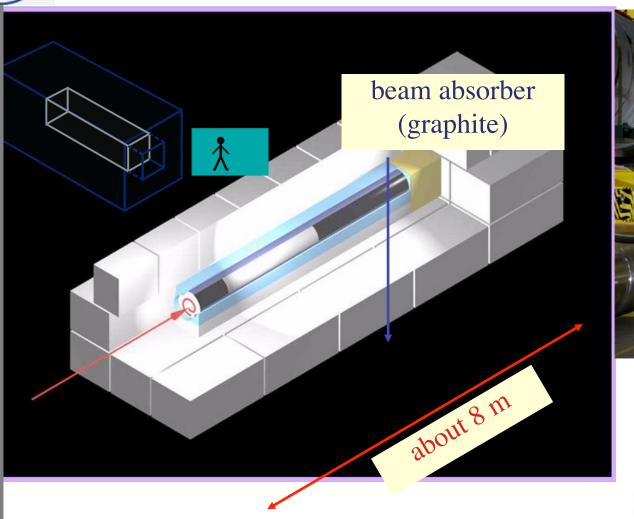
2×10¹² below damage limit

for details see V. Kain et al., PAC 2005 RPPE018

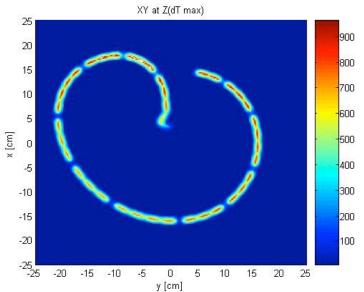
For comparison, the LHC nominal at 7 TeV: $2808 \times 1.15 \times 10^{11} = 3.2 \times 10^{14} \text{ p/beam}$ at $\langle \sigma_{x/y} \rangle \approx 0.2 \text{ mm}$ over 3 orders of magnitude above damage level for perpendicular impact



Dumping the LHC beam

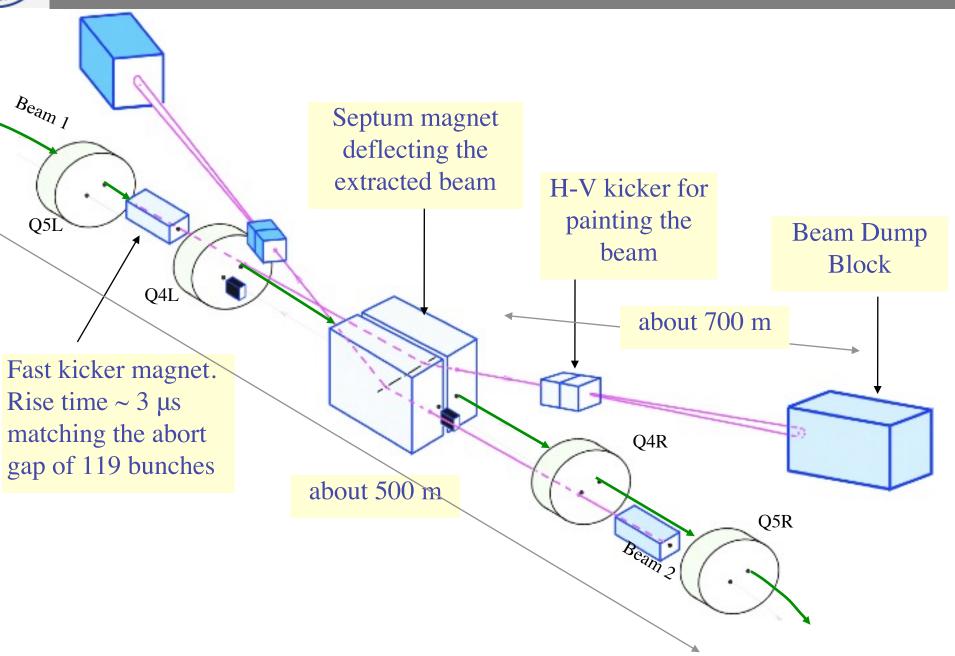








Schematic layout of beam dump system in IR6

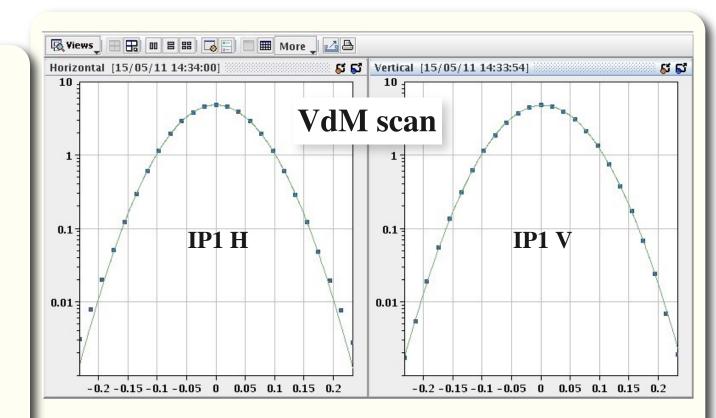




Precision front - high quality of LHC beams

- absolute luminosity normalization
- low, well understood backgrounds
- precision optics for ATLAS-ALFA and TOTEM

 β * = 1000 m, Oct.'12



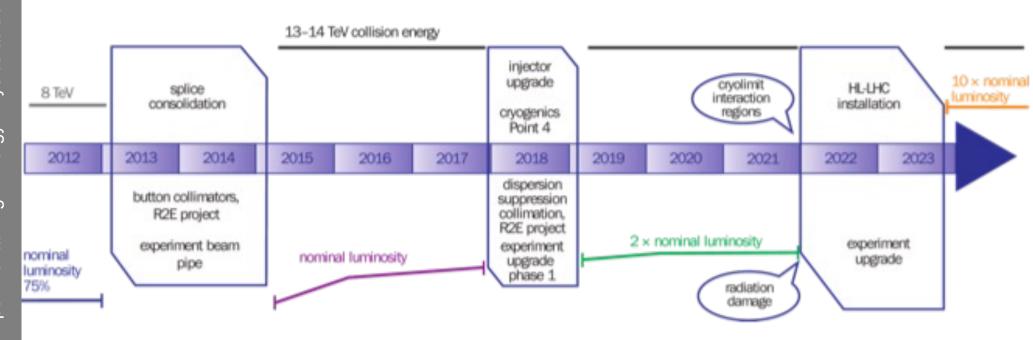
precise measurement of the luminous region + beam intensity --> absolute luminosity and cross section calibration

currently $\sim 3\%$ level (Tevatron had $\sim 15\%$)



HL-LHC Timeline

The LHC is still a rather young machine
Operation planning + upgrade studies (HL-LHC) extend to ~ 2030



Further ideas already exist (HE-LHC, LHeC, TLEP)
We also study other machines, and in particular CLIC →



Up-to-date LHC schedule

LHC roadmap: according to MTP 2016-2020 V1

LS2 starting in 2019

=> 24 months + 3 months BC

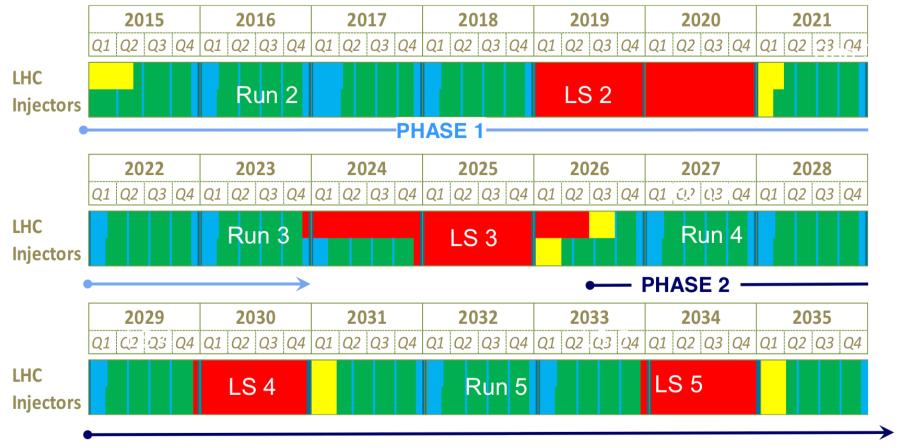
LS3 LHC: starting in 2024

=> 30 months + 3 months BC

Injectors: in 2025

=> 13 months + 3 months BC

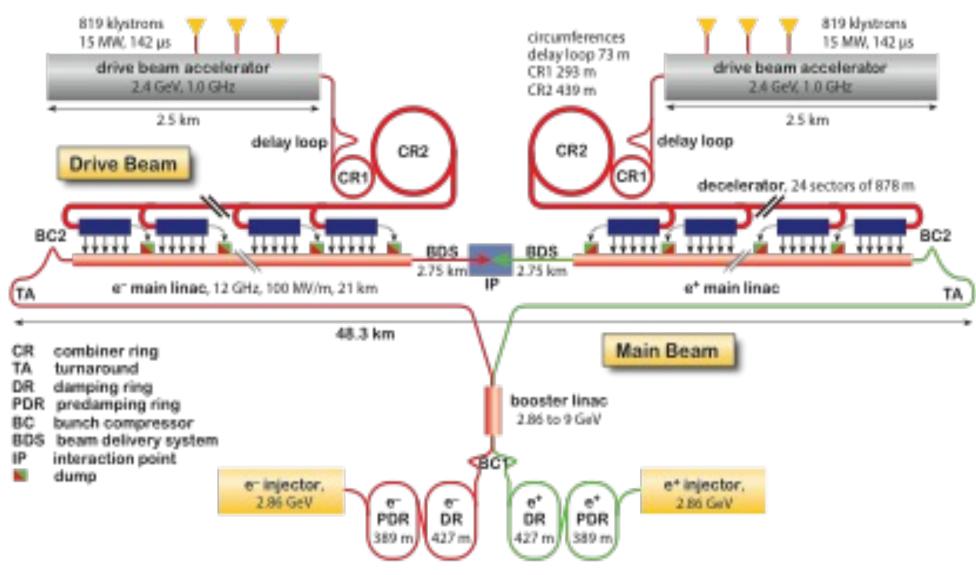








CLIC



Overview of the CLIC layout at $\sqrt{s} = 3 \text{ TeV}$

The machine requires only one drive beam complex for stages 1 and 2.



Accelerator applications and R&D

- The largest flag-ship accelerator is the LHC here at CERN
- By now many more accelerators outside particle physics

#Accelerators in the world: O (30 000) mostly smaller for medical and industrial applications

Broad range of particle accelerator types and applications

Large research facilities for:

Synchrotron light, UV, X-Ray (electron accelerators)
High intensity proton accelerators + neutron spallation sources
condensed matter, material science and biology research,
accelerator driven subcritical fission (energy production & radioactive waste incineration)

Yearly international accelerator conferences IPAC, last one in May'13 in **Shanghai**

Some of the hot-subjects and keywords:

- Free electrons lasers FEL, X-FEL, Laser induced coherent SR
- Advanced LINACS -- including recirculation and energy recovery ERL
- New acceleration techniques :
 - Dieletric, LASER, Plasma driven



Reserve



Radiation of an accelerated charge

General concept - power radiated by an accelerated charge. Relativistic version of Lamor's formula, derived by Lienard in 1898, before relativity was known.

Photon spectrum: J. Schwinger Phys. Rev. 75 (1949) pp. 1912-1925

Here written with formulas in SI units. More info + references in my paper on MC generation of SynRad CERN-OPEN-2007-018

power radiated by an accelerated charge

$$P = \frac{e^2 \gamma^2}{6\pi \epsilon_0 m^2 c^3} \left[\left(\frac{d\mathbf{p}}{dt} \right)^2 - \beta^2 \left(\frac{dp}{dt} \right)^2 \right] \qquad \text{relativistic}$$
Lamor formula

results in a major energy loss for a ring at high γ

$$\mathbf{v} \perp \dot{\mathbf{v}}$$
 $\left(\frac{d\mathbf{p}}{dt}\right)^2 - \beta^2 \left(\underbrace{\frac{d\mathbf{p}}{dt}}\right)^2 = \dot{\mathbf{p}}^2$ $P = \frac{e^2}{6\pi\epsilon_0 m^2 c^3} \gamma^2 \dot{\mathbf{p}}^2$ Perpendicular acceleration, B-field (or E_{\perp} field). Motion in circular machine.

E⊥ field). Motion in circular machine.

$$\mathbf{v} \| \dot{\mathbf{v}} \qquad \left(\frac{d\mathbf{p}}{dt} \right)^2 = \left(\frac{dp}{dt} \right)^2 \qquad \left(\frac{d\mathbf{p}}{dt} \right)^2 - \beta^2 \left(\frac{dp}{dt} \right)^2 = \dot{p}^2 (1 - \beta^2) = \frac{\dot{p}^2}{\gamma^2}$$

$$P = \frac{e^2}{6\pi\epsilon_0 m^2 c^3} \dot{p}^2$$

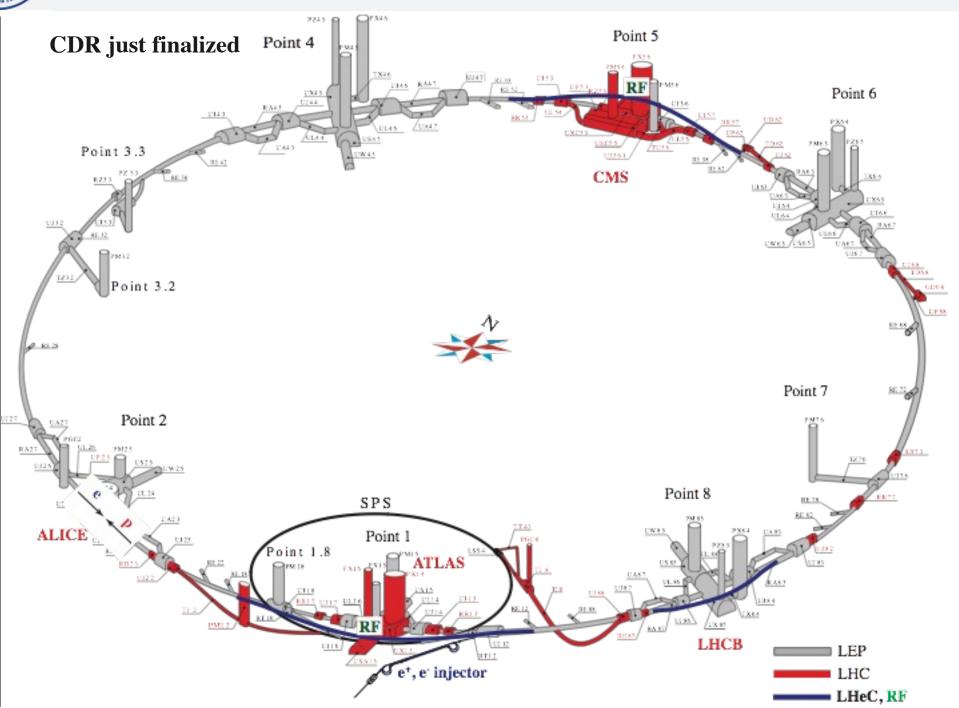
Parallel acceleration, E-field, Linac case cancellation, $1/\gamma^2$

The energy loss for linear acceleration is very small.

Example: CLIC gradient 100 MV/m. Loss is 11 keV/s or only 0.4 eV for a 1 TeV 10 km Linac



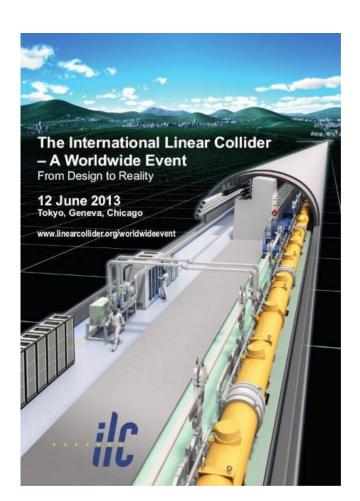
LHeC

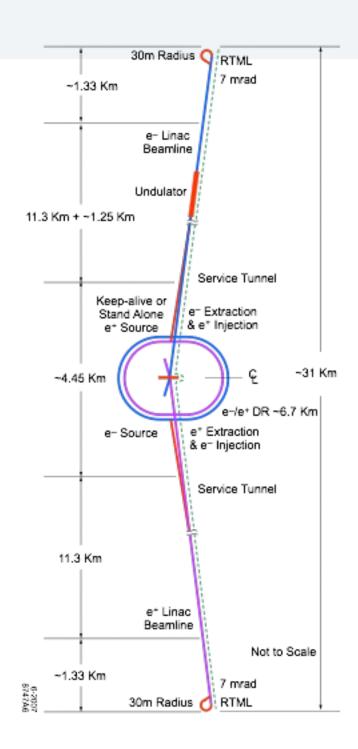




ILC TDR Handover, 12 June 2013

- 200-500 GeV centre-of-mass, 31 km long
- Luminosity: 2×10³⁴ cm⁻²s⁻¹
- Based on accelerating gradient of 31.5 MV/m
 1.3 GHz superconducting RF







CLIC

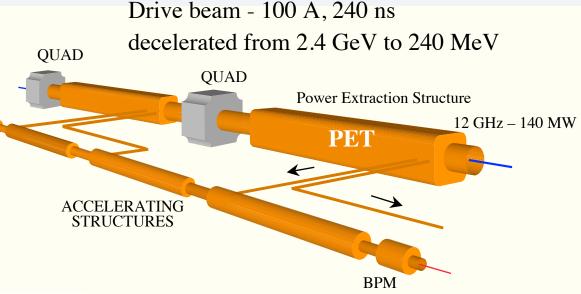
Compact Linear Collider

Drive Beam supplies RF power

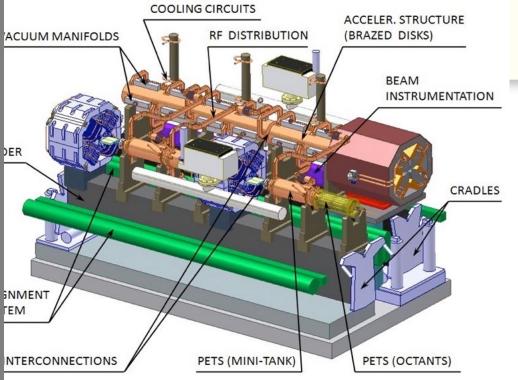
Two Beam Scheme

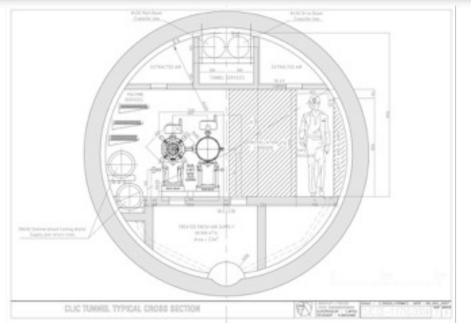
- 12 GHz bunch structure
- low energy (2.4 GeV 240 MeV)
- high current (100A)

warm (not superconducting) RF



Main beam - 1.2 A, 156 ns bunch trains accelerated from 9 GeV to 1.5 TeV







ILC and CLIC parameters

ILC: Superconducting RF CLIC: normal conducting copper RF

500 GeV 3 TeV

accelerating gradient: 31.5 MV/m 100 MV/m

35 MV/m target

RF Peak power: 0.37 MW/m, 1.6 ms, 5 Hz 275 MW/m, 240 ns, 50 Hz

RF average power: 2.9 kW/m 3.7 kW/m

total length: 31 km 48.4 km

site power: 230 MW 392 MW

Beam structure:

particles per bunch: 20×10^9 3.7×10^9

2625 bunches / pulse of 0.96 ms 312 bunches / pulse of 156 ns

bunch spacing 369 ns 0.5 ns

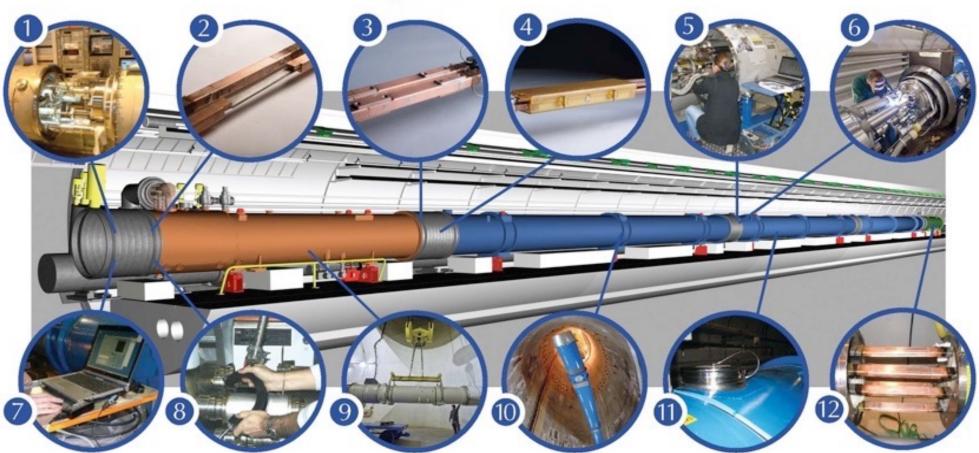




The main 2013-14 LHC consolidations



Complete reconstruction of 1500 of these splices Consolidation of the 10170 13kA splices, installing 27 000 shunts Installation of 5000 consolidated electrical insulation systems 300 000 electrical resistance measurements 10170 orbital welding of stainless steel lines



18 000 electrical Quality Assurance tests 10170 leak tightness tests

4 quadrupole magnets to be replaced 15 dipole magnets to be replaced

Installation of 612 pressure relief devices to bring the total to 1344 Consolidation of the 13 kA circuits in the 16 main electrical feedboxes